

Non-Standard Interactions and Tau-Neutrino Detection at DUNE

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Outline

- The Deep Underground Neutrino Experiment (DUNE)
- Why ν_τ at a long baseline; **High Energy beam** vs regular beam
- Neutrino **Non-Standard interactions** (NSI) framework and event rates at DUNE
- Headline **sensitivities**
- Short detour: PMNS row-3 non-unitary & role of ν_τ
- Conclusions

Key Messages

- The NSI parameter $\epsilon_{\mu\tau}$ is most sensitive to tau-neutrino detection at DUNE.
- If **mass hierarchy** is known, ν_τ detection helps determine $\phi_{\mu\tau}$, complex phase of $\epsilon_{\mu\tau}$.
- ν_τ detection has **very limited improvements** on Mass Hierarchy / δ_{cp} / Octant measurements.

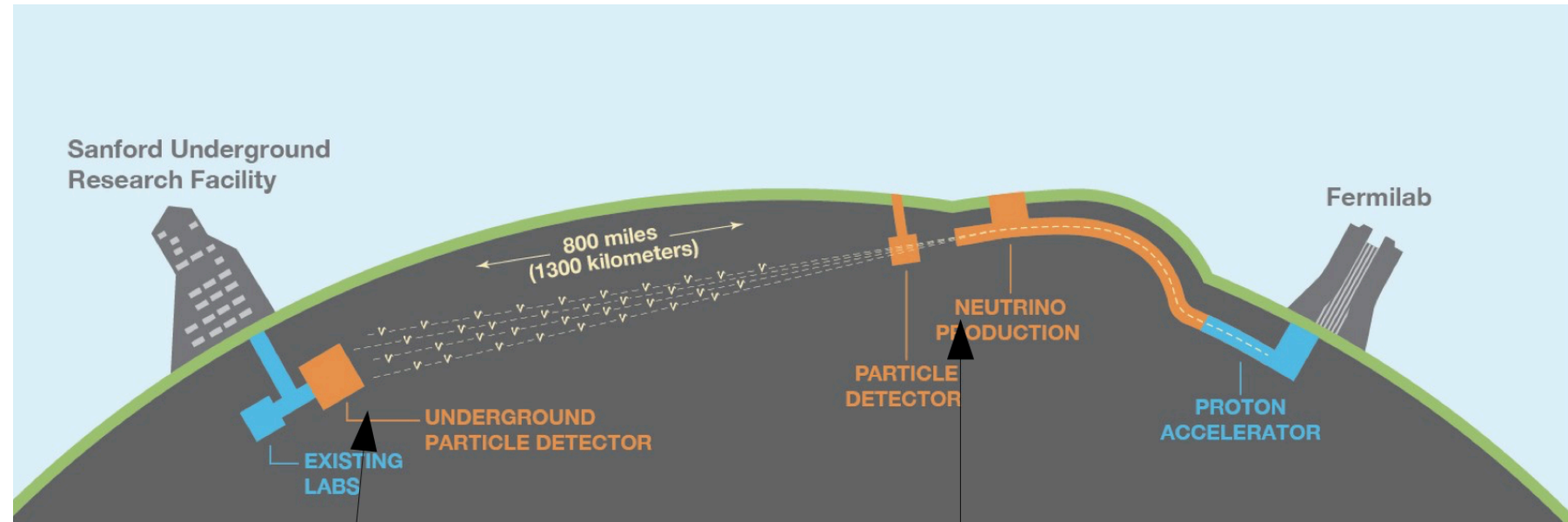


The Deep Underground Neutrino Experiment (DUNE)

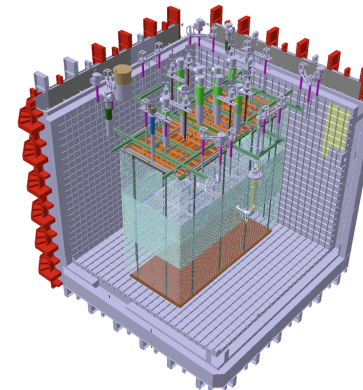
Dreams Are Messages from the Deep

Deep Underground Neutrino Experiment

- DUNE is a **next-generation long-baseline** (LBL) neutrino experiment under construction.
- Far Detector (FD): two liquid argon time-projection chamber (LArTPC), **total fiducial mass starts with 20 kt.**



Source: DUNE collaboration



Scientific objectives of DUNE

Unravel the mysteries in Standard Model and our universe through neutrinos

- **Measuring neutrino oscillation parameters**
 - neutrino mass hierarchy, CP violating phase (δ_{cp}), mixing angles, and testing three-flavour model.
- **Neutrino astronomy**
 - Record **Supernovae Neutrino Bursts** and astronomical neutrinos from other sources.
- **Search for beyond the Standard Model Physics (this talk)**
 - Look for deviations from Standard Model predictions, such as those described by **non-standard interactions**.

In this work, we study the capabilities of DUNE as outlined in its technical design report.



High Energy Beam and tau-neutrino at DUNE

In search of the elusive flavour

Reasons to study tau-neutrino appearance

Tau-neutrino data provides unique view into BSM new physics.

- **Testing the three-flavour oscillation framework and matter effects**
- **Direct test of PMNS unitarity (row 3)**
 - Confirm that missing ν_μ reappear as ν_τ with the **expected rate**
 - (Otherwise) Shed light on **sterile-neutrino** or **heavy neutral leptons**.
- **Test of BSM theories of neutrino physics**
 - Providing constraints on theories such as **non-unitary neutrino mixing** or **non-standard interactions (NSI)**

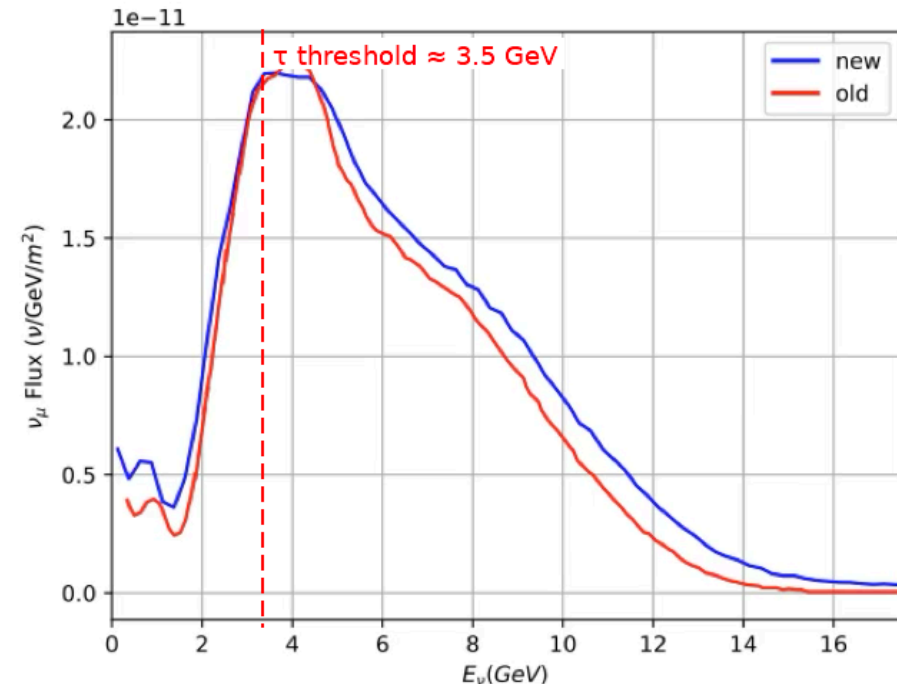
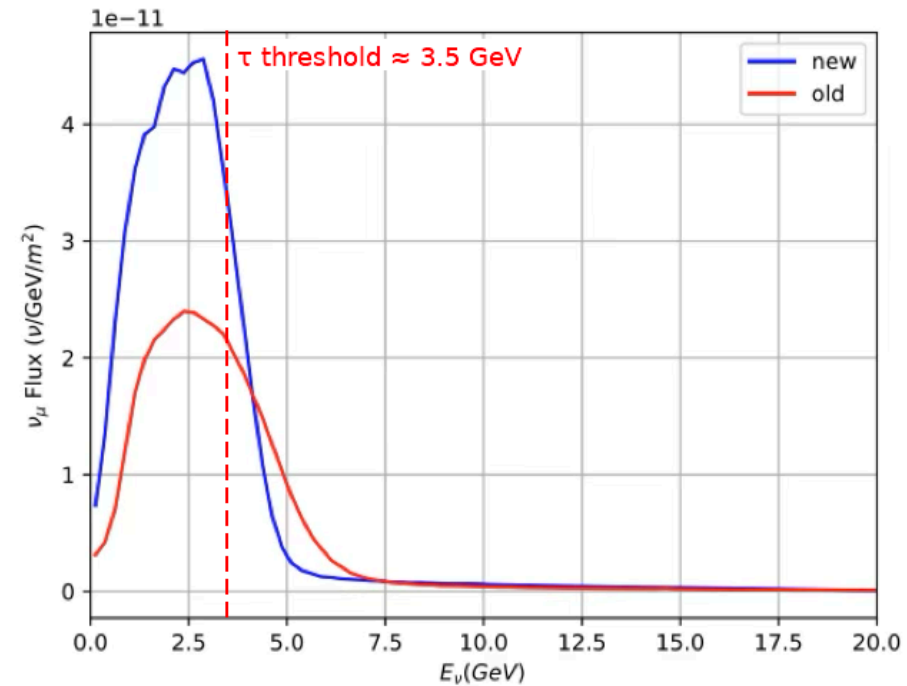
Challenges at LBL experiments

Tau-neutrinos are more difficult to study than electron and muon neutrinos.

- **High threshold for production**
 - Production of a tau lepton requires neutrino energy **threshold of 3.5 GeV**
- **Lifetime of Tau lepton is very short**
 - Requires very high **spatial resolution** for the detector
- **Not focused on previous LBL experiments:**
 - NOvA and T2K use beam **below threshold**, also limited by detector resolution.
 - OPERA and ICARUS in CNGS project successfully optimized for tau appearance, not oscillation parameter precision.

Neutrino beam at DUNE

- Top plot: regular beam, bottom: high-energy beam
- “New” is **flux profile used in our study**, “old” is outdated **flux from previous works**.
- Peak of the regular beam **< 3.5 GeV** Tau lepton production threshold.
- Achieved through replacement of three baseline horns with two parabolic horns (NuMI-like).





Neutrino Non-Standard interactions (NSI)

Echoes of hidden interactions

How NSI affects neutrino oscillation in matter

NSI = additional matter potential with off-diagonal flavour terms

$$\mathcal{L}_{\text{NC-NSI}} = -2\sqrt{2}G_F\epsilon_{\alpha\beta}^{fC}(\bar{\nu}_\alpha\gamma^\mu P_L\nu_\beta)(\bar{f}\gamma_\mu P_C f)$$

The NSI interaction Lagrangian operator

- α, β denotes neutrino flavours (electron, muon, tau)
- f denotes fermion type in matter (e, u, d)
- C is L or R handed projection operator.
- Very general parameterization of a neutrino flavour changing interaction, at a dimension 6 four particle vertex.

$$H = H_{\text{vac}} + H_{\text{mat}} + H_{\text{NSI}},$$

$$H_{\text{vac}} = \frac{1}{2E}U \begin{bmatrix} m_1^2 & 0 & 0 \\ 0 & m_2^2 & 0 \\ 0 & 0 & m_3^2 \end{bmatrix} U^\dagger; H_{\text{mat}} = \sqrt{2}G_F N_e \begin{bmatrix} 1 & 0 & 0 \\ 0 & 0 & 0 \\ 0 & 0 & 0 \end{bmatrix};$$

$$H_{\text{NSI}} = \sqrt{2}G_F N_e \begin{bmatrix} \epsilon_{ee} & \epsilon_{e\mu} & \epsilon_{e\tau} \\ \epsilon_{e\mu}^* & \epsilon_{\mu\mu} & \epsilon_{\mu\tau} \\ \epsilon_{e\tau}^* & \epsilon_{\mu\tau}^* & \epsilon_{\tau\tau} \end{bmatrix}.$$

Effective term from NSI in the Hamiltonian

- NSI enters as an **addition effective matter potential** term
- Six degrees of freedom from 3 diagonal and 3 off-diagonal terms
- Off-diagonal term introduces **flavour-changing neutral-current effects** in propagation through matter.

NSI Modification to $\nu_\mu \rightarrow \nu_\tau$ oscillation probability (1/2)

Expanding probability, treating NSI as perturbative term

For 3-flavour oscillation, we can expand to second order

$$P_{\mu\tau}^{\text{NSI}} = P_{\mu\tau}^{2\text{vac}} + P_{\mu\tau}^{\epsilon_{e\mu}, \epsilon_{e\tau}} + P_{\mu\tau}^{\epsilon_{\mu\mu}, \epsilon_{\mu\tau}, \epsilon_{\tau\tau}} + \dots$$

The leading term is **vacuum oscillation probability** in 2-flavour model, which is

$$P_{\mu\tau}^{2\text{vac}} = 4 \cos^2 \theta_{23} \sin^2 \theta_{23} \sin^2 \frac{\Delta_{31} L}{4E}$$

NSI Modification to $\nu_\mu \rightarrow \nu_\tau$ oscillation probability (2/2)

Examine the contribution from $\epsilon_{\mu\tau}$ term

At order $O(\epsilon)$, the contribution from $\epsilon_{\mu\tau}$ is

$$\Delta_{\mu\tau} \propto \sin^2(2\theta_{23}) |\epsilon_{\mu\tau}| \cos(\phi_{\mu\tau}) \sin(\Delta_{31} L/2E)$$

At $|\epsilon_{\mu\tau}| = 0.2, \phi_{\mu\tau} = 0$, this term is **~ 10 times larger than the subleading term**

This term is sensitive to hierarchy, but no octant sensitivity.

$\epsilon_{\mu\mu}$ and $\epsilon_{\tau\tau}$ terms proportional to $\cos^2 2\theta_{23} \sim 0$, $\epsilon_{e\mu}$ and $\epsilon_{e\tau}$ terms always 2nd order \rightarrow Both negligible



Observing NSI at DUNE

Signals beneath the Dunes

Simulation Details

Key assumptions and sources from the simulation

The χ^2 values are calculated using GLoBES, through comparison of true experimental event rates and test theoretical rates in each energy bin.

Energy resolution, energy-dependent detector efficiencies, and systematic uncertainties are from DUNE TDR.

In particular, used bin based energy smearing suggested by arXiv:1904.07265:

$$R^c(E, E') = \frac{1}{\sqrt{2\pi}\sigma(E)} \exp\left(-\frac{(E - E')^2}{2\sigma^2(E)}\right)$$

Where

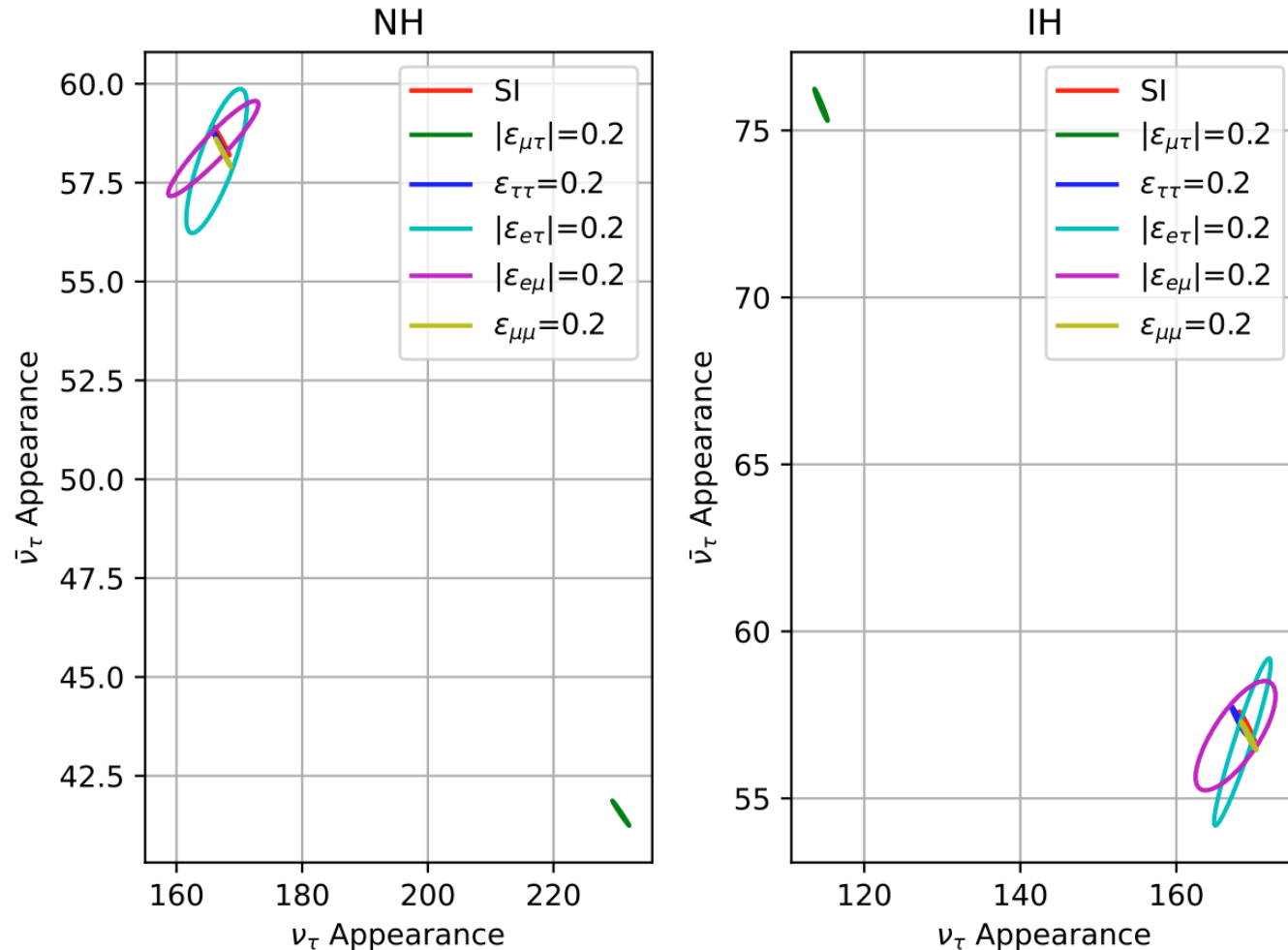
$$\sigma(E) = 0.25E$$

Beam running schemes at DUNE

Exposure & Channels	Beam / Mode	Description
5 + 5 ($\mu + e$)	Regular beam; ν & $\bar{\nu}$: 5 years each	Muon disappearance and electron appearance with DUNE regular beam; 5 years in ν -mode and 5 years in $\bar{\nu}$ -mode.
5 + 5 ($\mu + \tau$)	Regular beam; ν & $\bar{\nu}$: 5 years each	Same as above, but τ appearance instead of e .
5 + 5 ($\mu + e + \tau$)	Regular beam; ν & $\bar{\nu}$: 5 years each	Combine all three channels from above.
5 + 5 + 1 + 1 ($\mu + \tau$)	Regular: ν & $\bar{\nu}$ 5y each High-energy: ν & $\bar{\nu}$ 1y each	Same as $\mu + \tau$ case, plus 1 year each in ν and $\bar{\nu}$ with the DUNE high-energy beam.
5 + 5 + 1 + 1 ($\mu + e + \tau$)	Regular: ν & $\bar{\nu}$ 5y each High-energy: ν & $\bar{\nu}$ 1y each	Combining everything above (all channels and both beams).

1.1e21 POT per year for both regular and high-energy beam.

Modification to (expected) event rates at DUNE



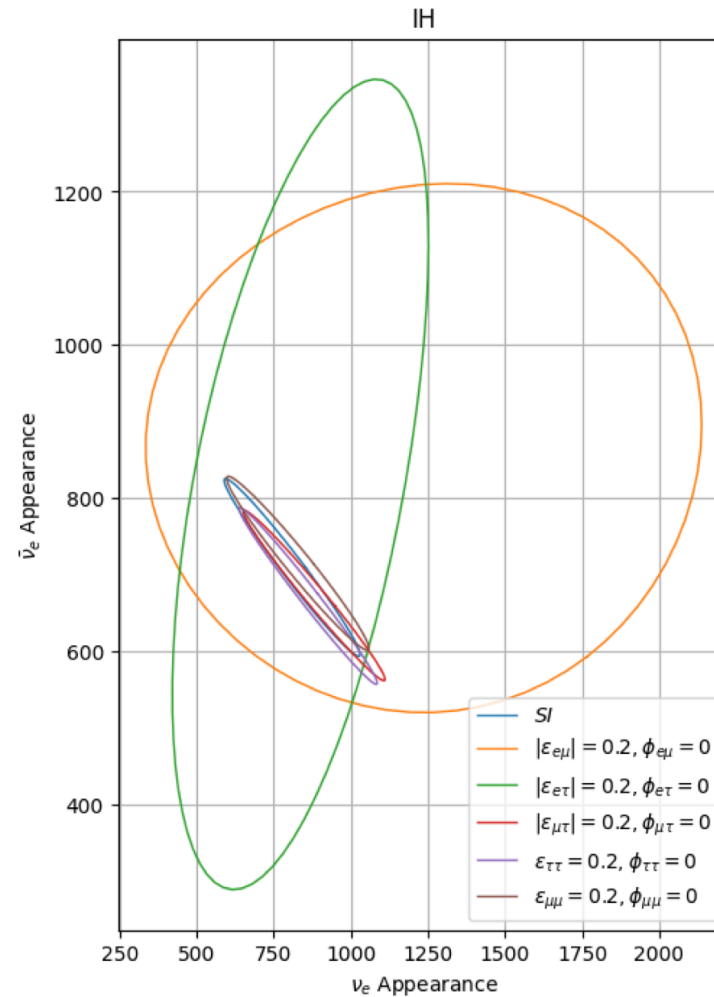
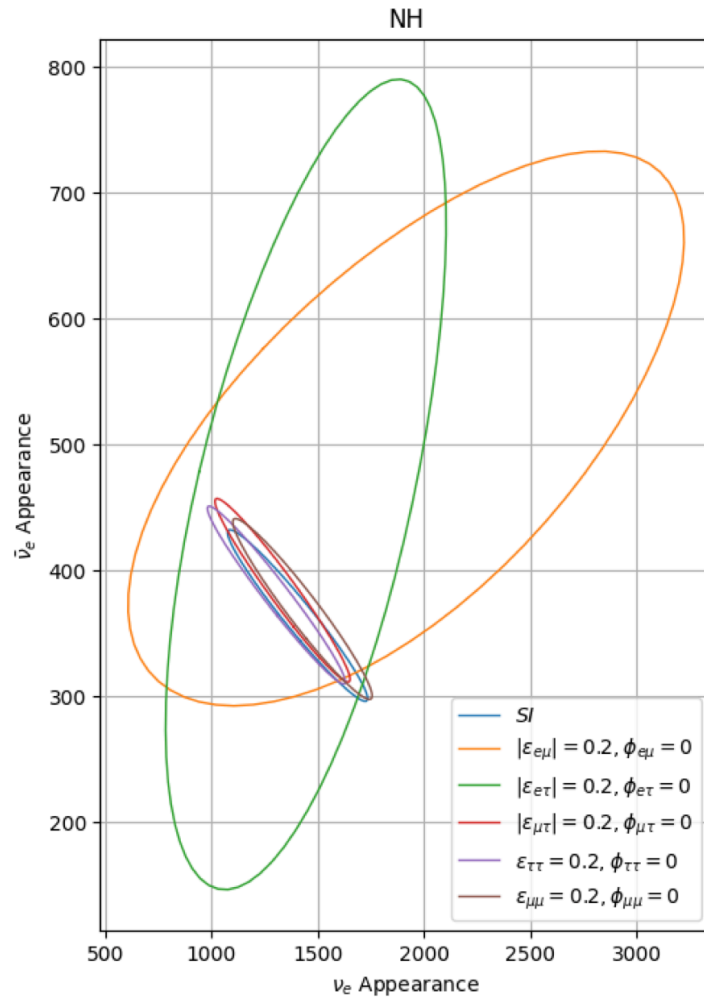
$\nu_\tau + \bar{\nu}_\tau$ **event numbers** after DUNE
5+5 regular beam.

Ellipse is from varying δ_{cp} in $[-\pi, \pi]$

Event rates includes background

Suggests that when hierarchy is given, there should be good sensitivity for existence of $\epsilon_{\mu\tau}$.

Modification to (expected) event rates at DUNE



$\nu_e + \bar{\nu}_e$ event numbers DUNE
5+5 regular beam.

Ellipse is from varying CP
violation phase in $[-\pi, \pi]$

Larger Ellipse distinct from SI
suggests **good δ_{cp} sensitivity**
in presence of $\epsilon_{e\mu}$ or $\epsilon_{e\tau}$.

**Not very good sensitivity for
distinction between the two.**

$\phi_{\mu\tau}$ -Hierarchy degeneracy

Degeneracy arising from the perturbative term

Hierarchy sensitivity with $\epsilon_{\mu\tau}$ present comes from

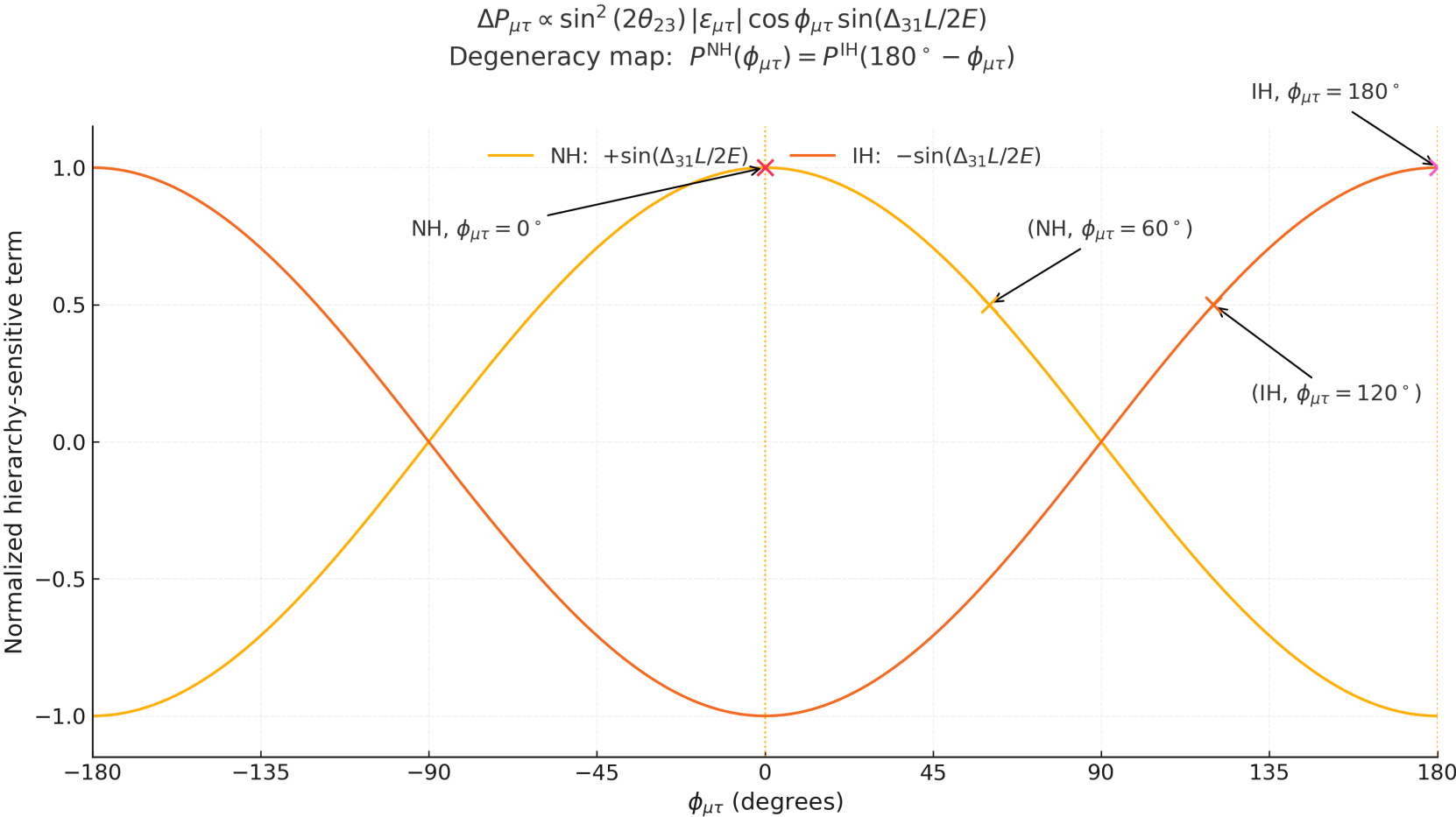
$$\Delta_{\mu\tau} \propto \sin^2(2\theta_{23}) |\epsilon_{\mu\tau}| \cos(\phi_{\mu\tau}) \sin(\Delta_{31} L/2E)$$

A consequence is that NH, $\phi_{\mu\tau} = 0$ is mimicked by IH, $\phi_{\mu\tau} = \pi$.

Therefore, when the phase and mass hierarchy is **simultaneously unknown**, this degeneracy affects sensitivity in attempts to measure either of them.

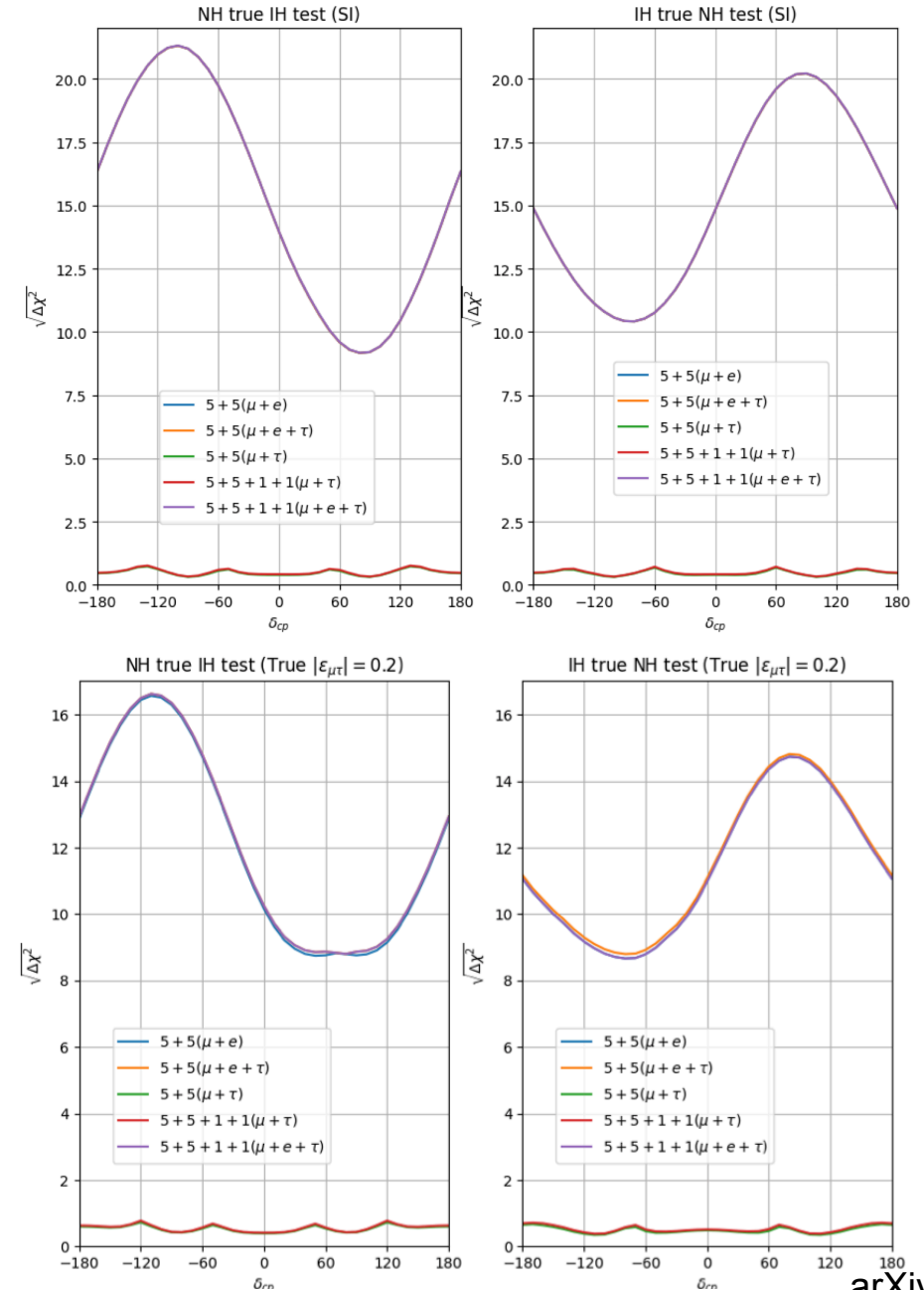
$\phi_{\mu\tau}$ -Hierarchy degeneracy

Degeneracy arising from the perturbative term

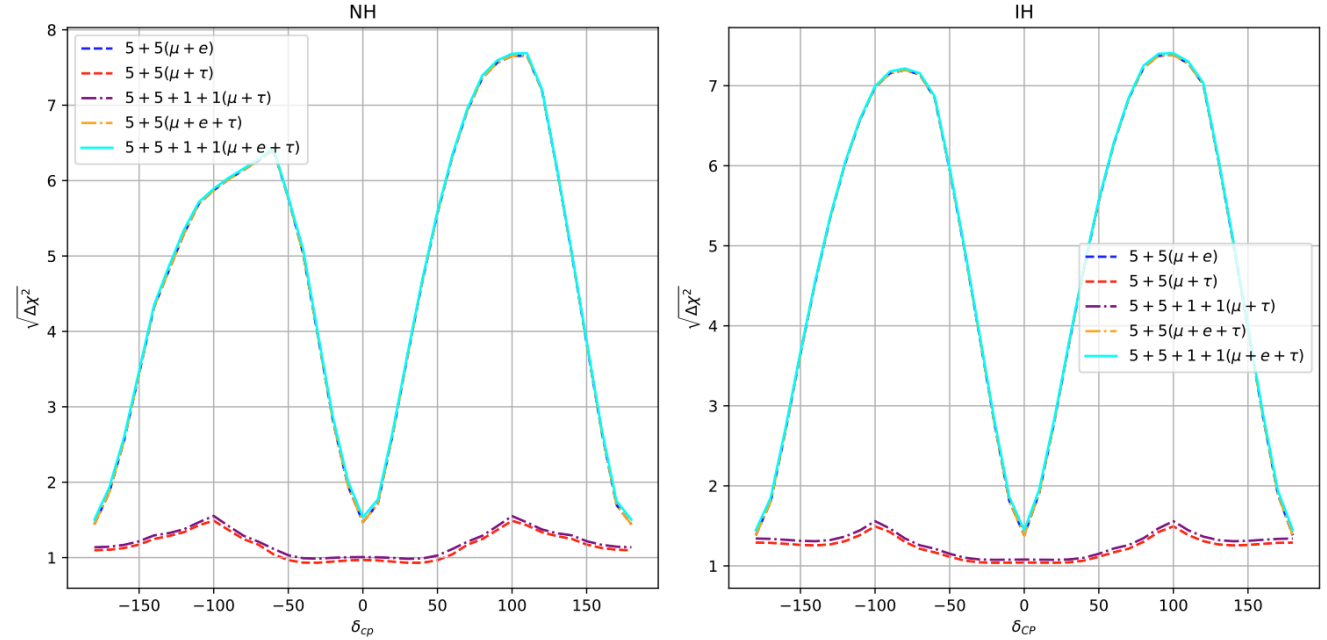
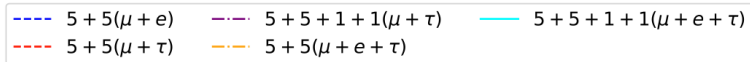
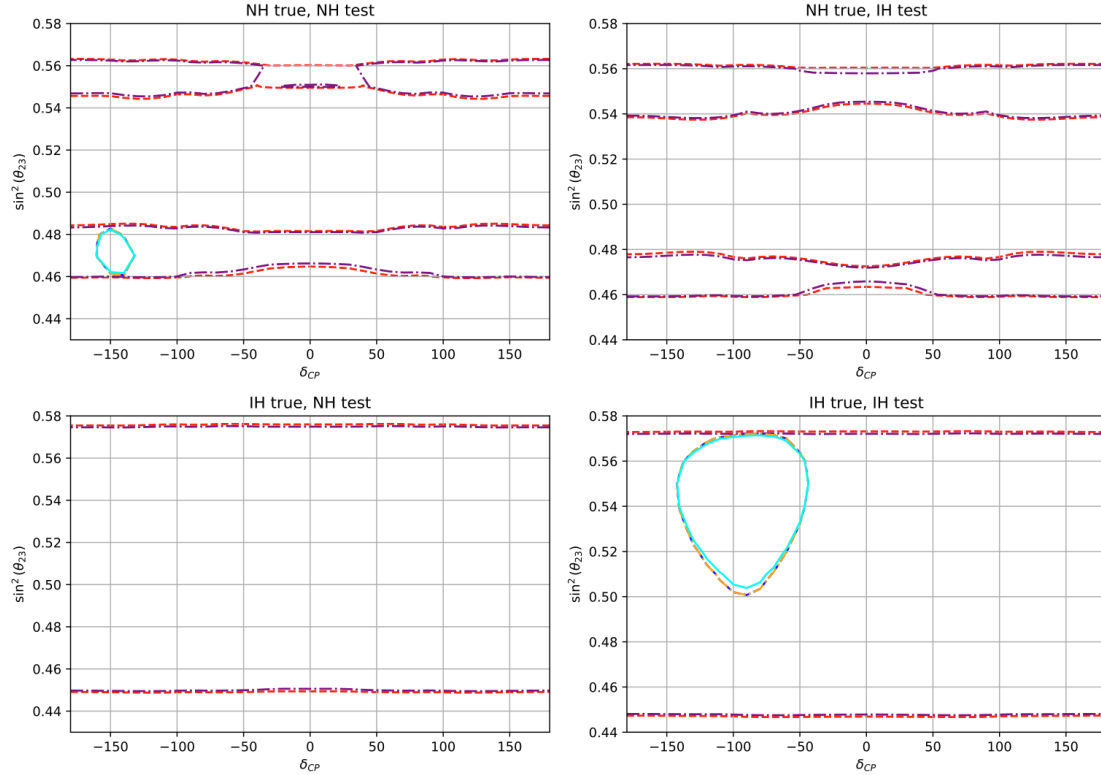


Mass hierarchy sensitivity with NSI

- Reduction in sensitivity with $\epsilon_{\mu\tau}$
- $\epsilon_{e\mu}$ and $\epsilon_{e\tau}$ case also see reduction, due to δ_{cp} and NSI phase interference.



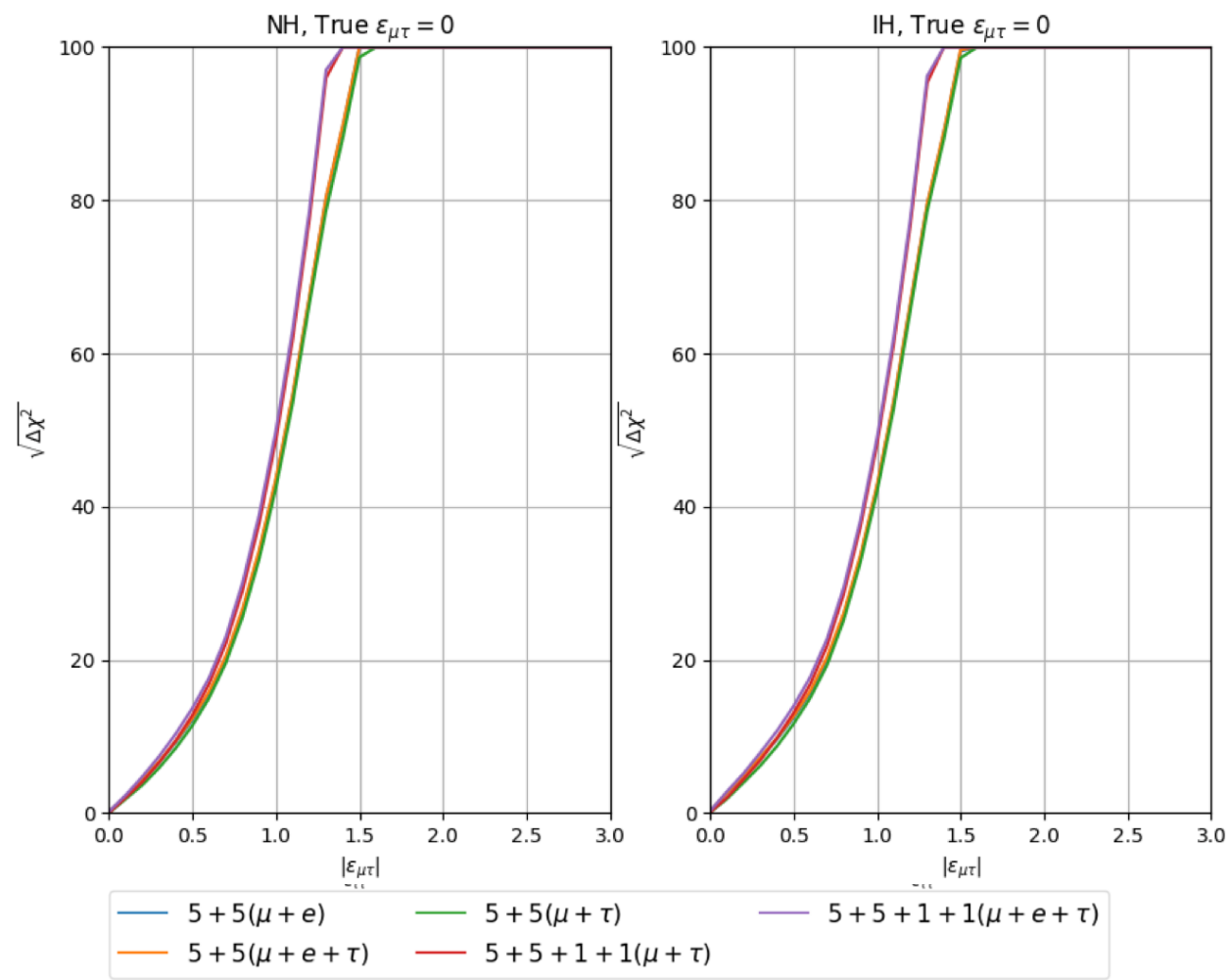
δ_{cp} and Octant sensitivity



No significant impact from NSI and/or tau-neutrino detection, as it is mainly driven by electron-neutrino appearance.

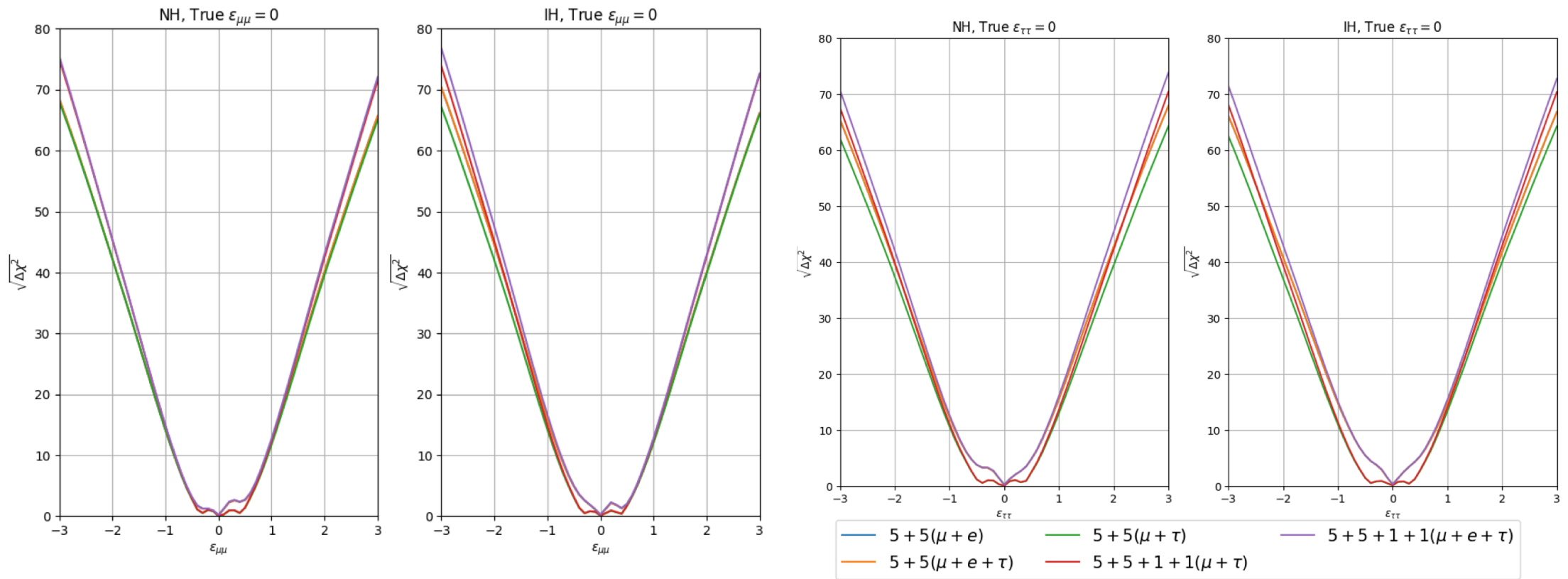
NSI term sensitivity

In truth SI case, can DUNE rule out NSI existence



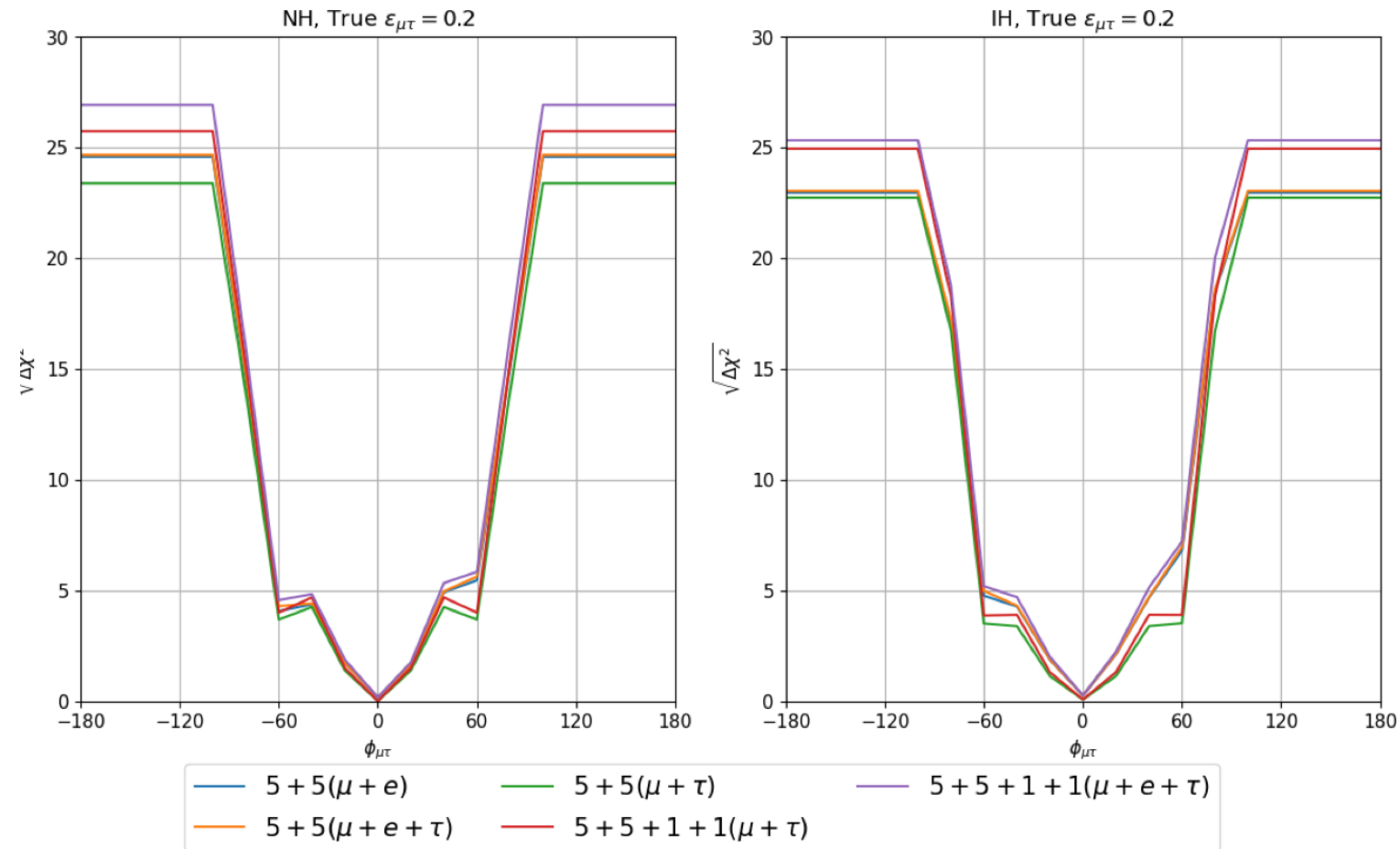
NSI term sensitivity

In truth SI case, can DUNE rule out NSI existence (subleading terms)



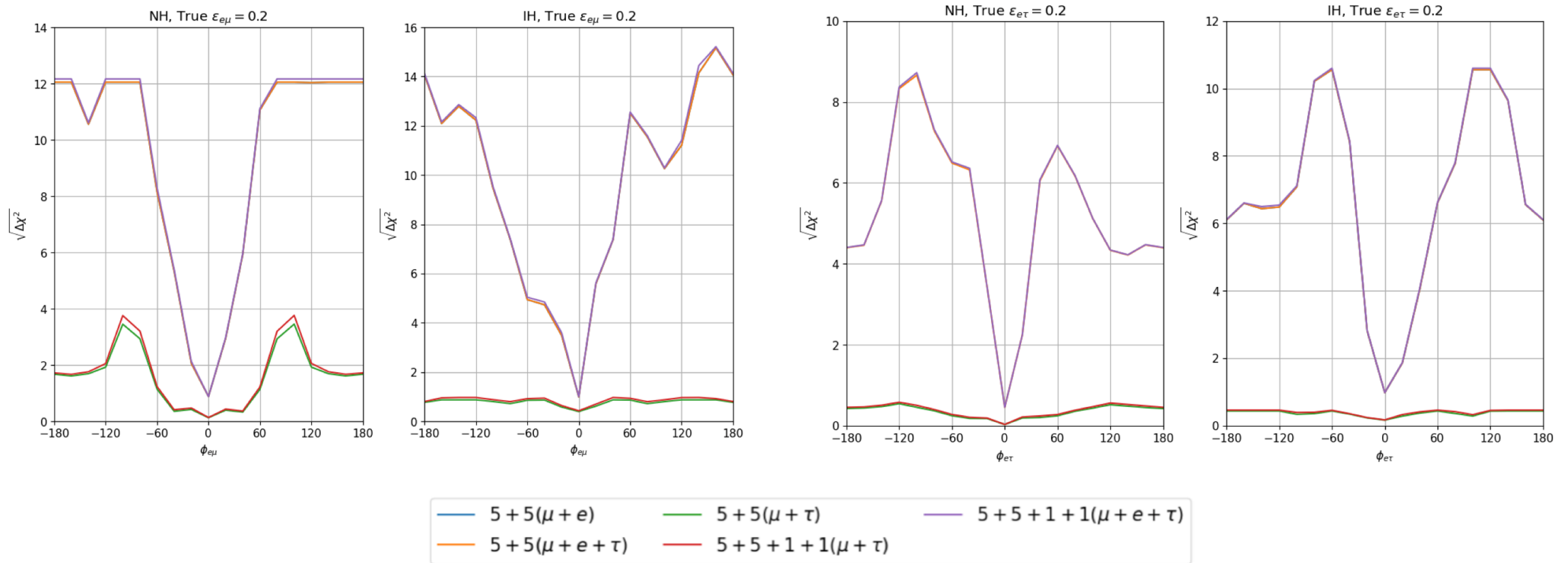
NSI phase sensitivity

If NSI phase in nature is 0, how precisely can DUNE measure it?



NSI phase sensitivity

If NSI phase in nature is 0, how precisely can DUNE measure it?



Final Future Constraints on NSI parameter from DUNE

Parameters	5 + 5 ($\mu + e$)	5 + 5 ($\mu + \tau$)	5 + 5 ($\mu + e + \tau$)	5 + 5 + 1 + 1 ($\mu + \tau$)	5 + 5 + 1 + 1 ($\mu + e + \tau$)
$ \epsilon_{e\mu} $ NH	< 0.04 (0.10)	< 0.31 (0.43)	< 0.04 (0.10)	< 0.31 (0.43)	< 0.04 (0.10)
IH	< 0.04 (0.09)	< 0.25 (0.38)	< 0.04 (0.09)	< 0.25 (0.38)	< 0.04 (0.09)
$ \epsilon_{e\tau} $ NH	< 0.07 (0.20)	< 0.83 (1.02)	< 0.07 (0.20)	< 0.83 (1.02)	< 0.07 (0.20)
IH	< 0.09 (0.13)	< 0.78 (0.98)	< 0.09 (0.13)	< 0.78 (0.98)	< 0.09 (0.13)
$ \epsilon_{\mu\tau} $ NH	< 0.08 (0.14)	< 0.09 (0.17)	< 0.08 (0.14)	< 0.09 (0.15)	< 0.07 (0.13)
IH	< 0.07 (0.12)	< 0.10 (0.16)	< 0.07 (0.12)	< 0.09 (0.14)	< 0.06 (0.11)
$\epsilon_{\mu\mu}$ NH	> -0.40 (-0.50) < 0.11 (0.48)	> -0.43 (-0.50) < 0.50 (0.57)	> -0.40 (-0.50) < 0.11 (0.48)	> -0.43 (-0.50) < 0.50 (0.57)	> -0.40 (-0.50) < 0.11 (0.48)
IH	> -0.17 (-0.34) < 0.14 (0.56)	> -0.43 (-0.50) < 0.49 (0.54)	> -0.17 (-0.34) < 0.14 (0.56)	> -0.43 (-0.50) < 0.49 (0.54)	> -0.17 (-0.34) < 0.14 (0.56)
$\epsilon_{\tau\tau}$ NH	> -0.12 (-0.26) < 0.14 (0.35)	> -0.54 (-0.63) < 0.45 (0.51)	> -0.12 (-0.26) < 0.14 (0.35)	> -0.54 (-0.63) < 0.45 (0.51)	> -0.12 (-0.26) < 0.14 (0.35)
IH	> -0.11 (-0.20) < 0.09 (0.25)	> -0.51 (-0.60) < 0.42 (0.51)	> -0.11 (-0.20) < 0.09 (0.25)	> -0.51 (-0.60) < 0.42 (0.51)	> -0.11 (-0.20) < 0.09 (0.25)

The 90% (3σ) constraints



PMNS row-3 unitarity: why ν_τ matters

Role of ν_τ detection in PMNS constraining PMNS third row unitarity

Non-unitarity of PMNS matrix

General formula of a non-unitary mixing matrix

A model is when a **fourth neutrino flavour** ν_s exists, where ν_s is mainly of a heavy mass eigenstate m_4 such that $m_4 \gg m_1, m_2, m_3$.

Further the extra generation of sterile neutrino existing as **iso-singlet neutral heavy lepton** (NHL), where $\Delta_{41} \equiv m_4^2 - m_1^2 \gg O(\text{eV}^2)$.

In this case, it **does not take part in neutrino oscillation**. Their involvement in weak interaction gives **effective 3-flavour mixing** that can be described by modified **non-unitary PMNS matrix**, namely

$$N = N_{NP} U_{3 \times 3} = \begin{bmatrix} \alpha_{00} & 0 & 0 \\ \alpha_{10} & \alpha_{11} & 0 \\ \alpha_{20} & \alpha_{21} & \alpha_{22} \end{bmatrix} U_{3 \times 3}$$

Constraining the non-unitary mixing matrix

Current status and bounds

The **first two rows** of the mixing matrix can be constrained by **detecting electrons and ν_μ** at neutrino oscillation experiments.

Constraints on third row mostly from **charged lepton flavour violation (CLFV)**

3σ limit for 1 dof on third row unitarity violation from joint neutrino oscillation and CLFV fit (with neutrino oscillation only in brackets) from arXiv:1612.07377:

$$|\alpha_{20}| < 4.4 \times 10^{-3} (9.8 \times 10^{-2}); \quad |\alpha_{21}| < 2.0 \times 10^{-3} (1.7 \times 10^{-2}); \quad \alpha_{22} > 0.9976 (0.76)$$

Constraining the non-unitary mixing matrix

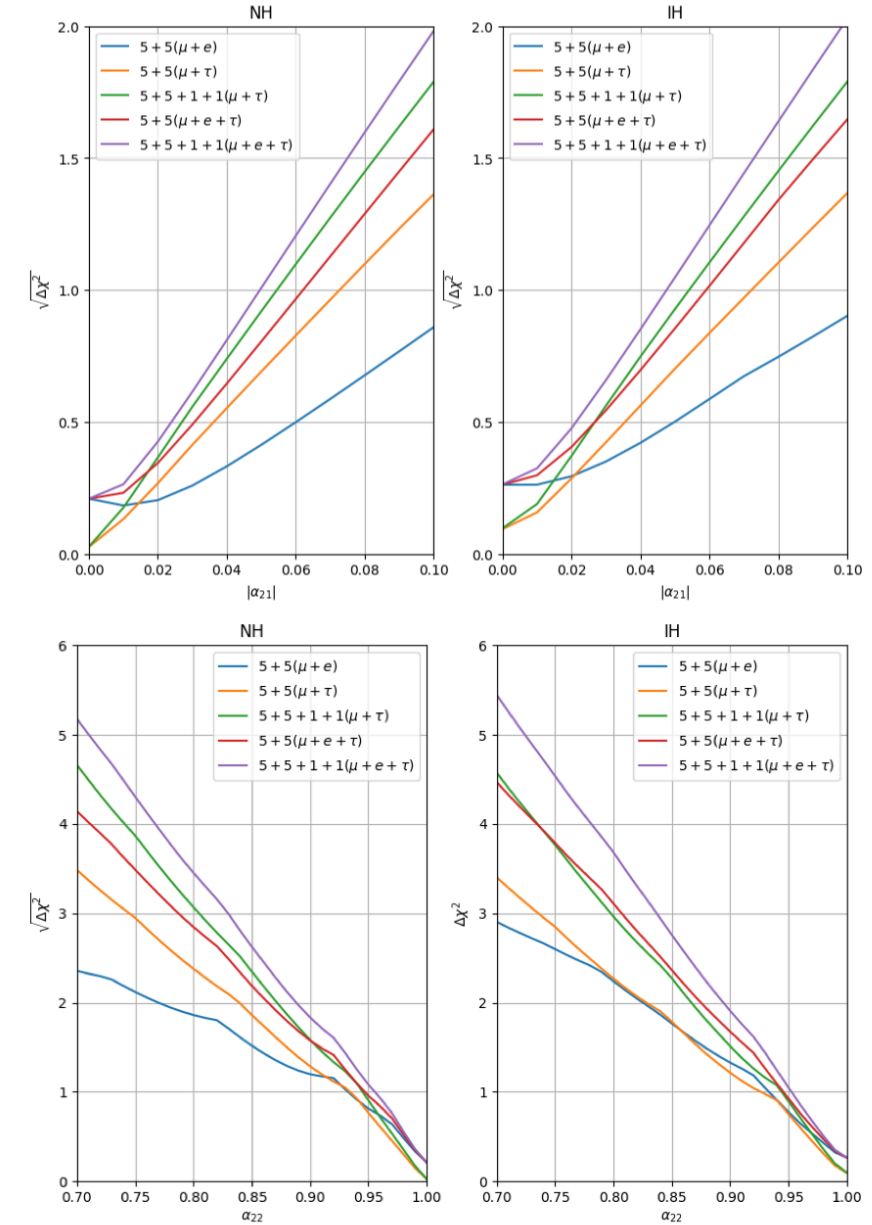
Capabilities of DUNE to constrain non-unitarity

The plots shows **sensitivity** under DUNE exposure

Considered unitary mixing to be truth, marginalized $|\Delta_{31}|$ and $\sin^2 \theta_{23}$ in 3σ range, δ_{cp} in $[-\pi, \pi]$.

Tested $|\alpha_{21}|$ in $[0 : 0.1]$, α_{22} in $[0.7 : 1]$, ϕ_{21} in $[-\pi, \pi]$

Better constraint in α_{22} than neutrino oscillation only fit (>0.76).



Conclusion

We considered the impact of ν_τ and $\bar{\nu}_\tau$ detection at DUNE in relation to NSI.

- **Tau-neutrino detection and NSI parameter $\epsilon_{\mu\tau}$**

- Most significant contribution to tau event rates is from $\epsilon_{\mu\tau}$, for which ν_τ detection **boosts sensitivity in its existence**
- If mass hierarchy is fixed, ν_τ **detection also help determine $\phi_{\mu\tau}$**
- Strategically, can measure MH from ν_e appearance data, then determine $\epsilon_{\mu\tau}$

- **Oscillation parameter measurements**

- Tau-neutrino detection **does not have significant improvement** to mass hierarchy, δ_{cp} , and octant measurements

Overall, tau appearance channels provides complementary constraint on NSI and BSM physics.

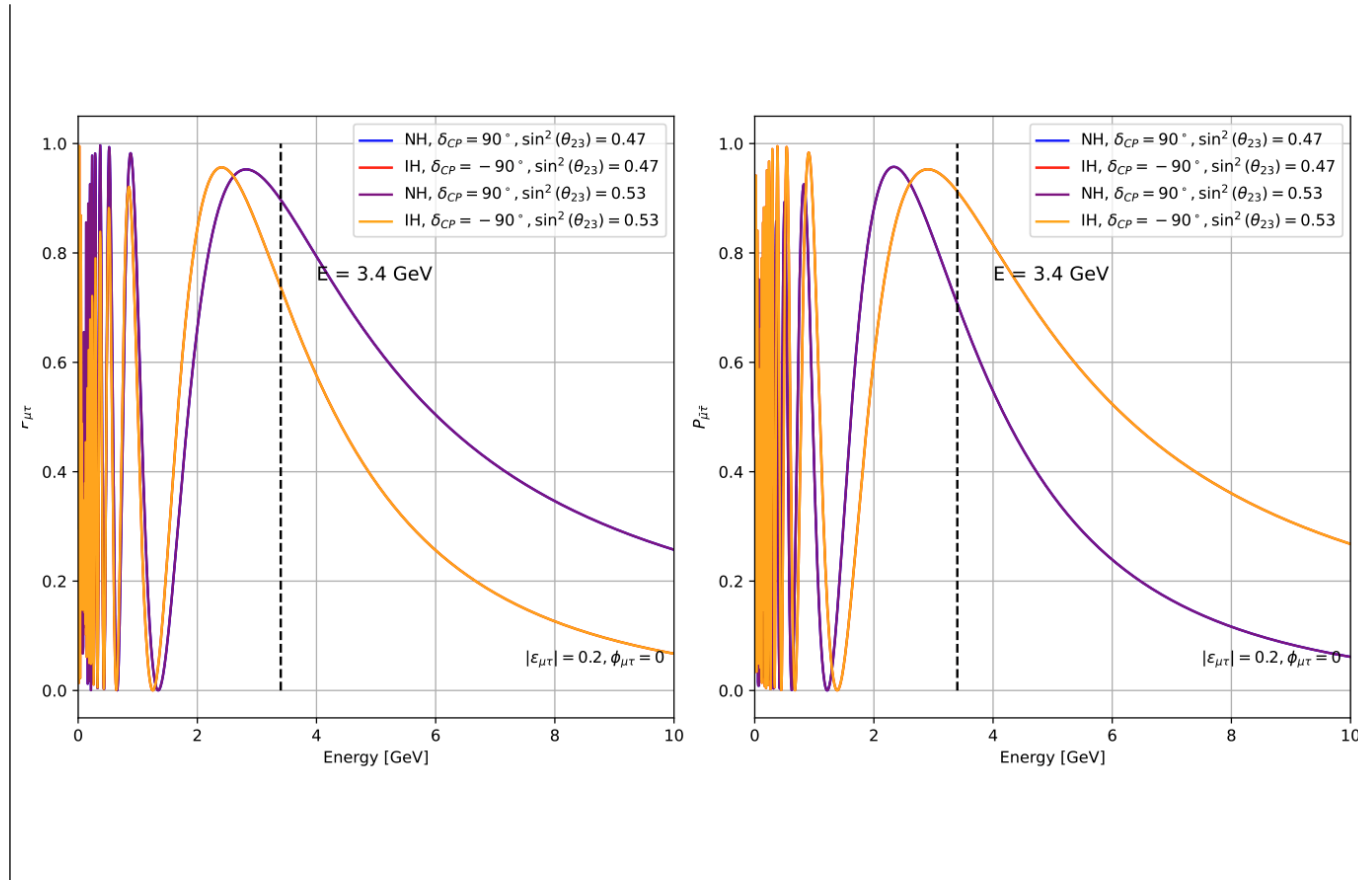


Backup Slides

Backup Slides

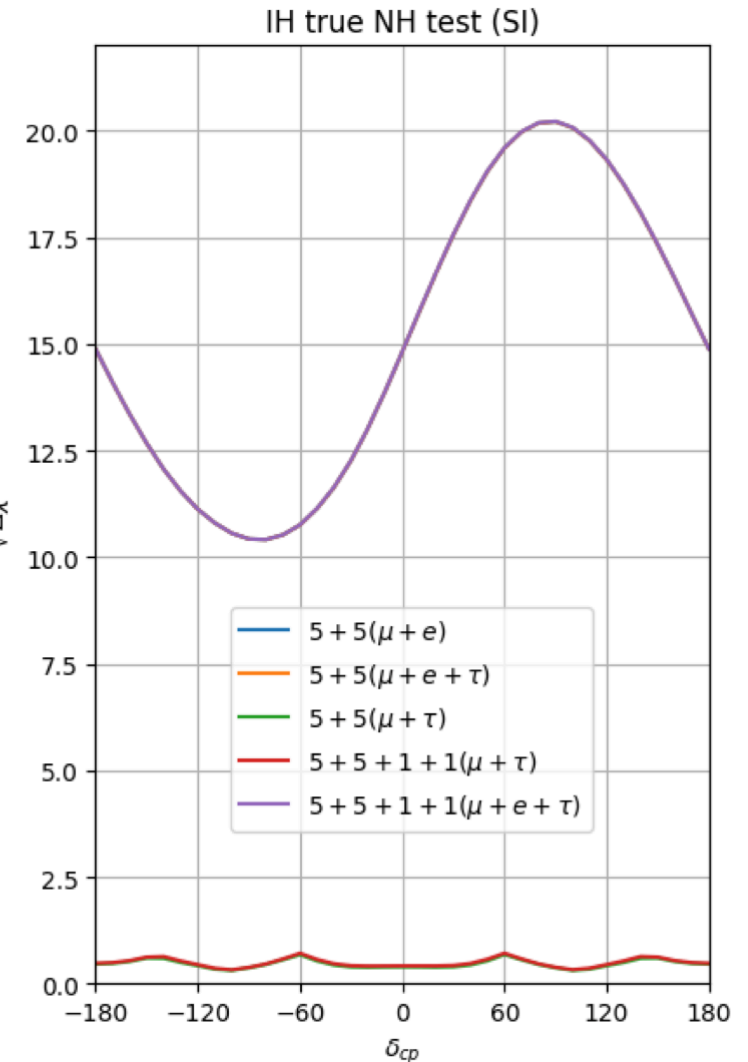
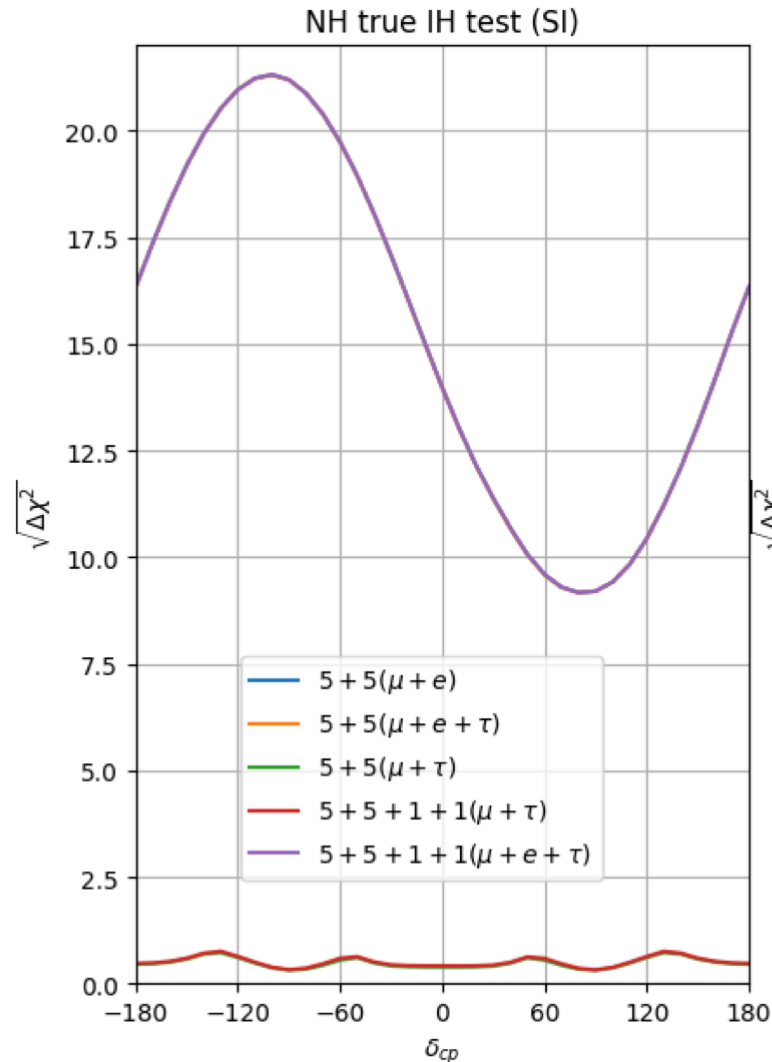
NSI Modification to $\nu_\mu \rightarrow \nu_\tau$ oscillation probability (3/3)

- The plot is produced with $|\epsilon_{\mu\tau}| = 0.2$ with 0 complex phase.
- The 0.2 magnitude is similar to best-fit values of $|\epsilon_{e\mu}|$ and $|\epsilon_{e\tau}|$ values from T2K and NOvA.
- The lack of octant sensitivity can be seen from the graph.

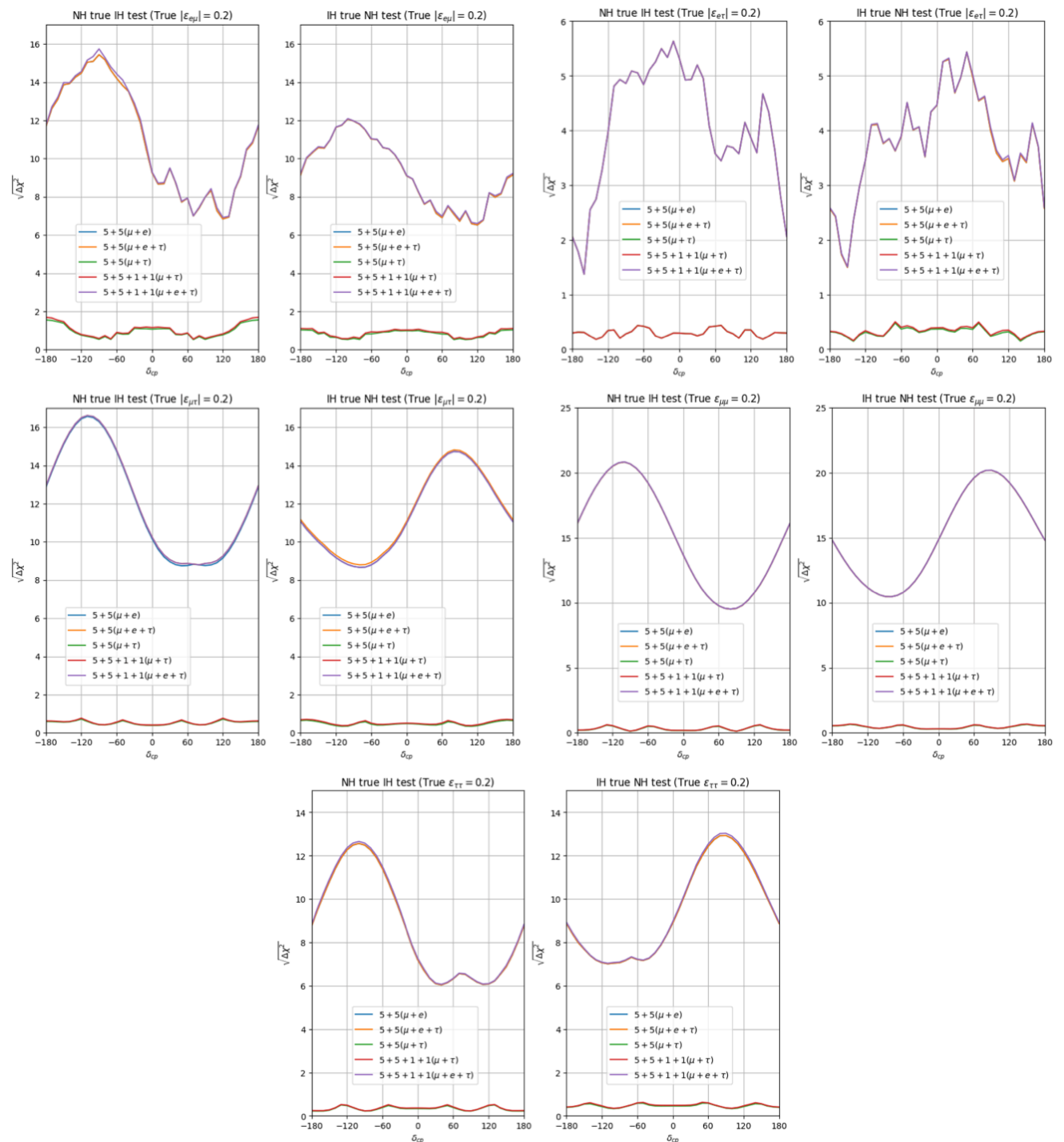


Mass hierarchy sensitivity

- Varied the CP Violating phase
- Marginalized $\sin^2 \theta_{23}$ and $|\Delta_{31}|$ in their respective 3 sigma range
- DUNE has decisive sensitivity on mass hierarchy in the SI case.
- Does not change with inclusion of tau-neutrino appearance data.

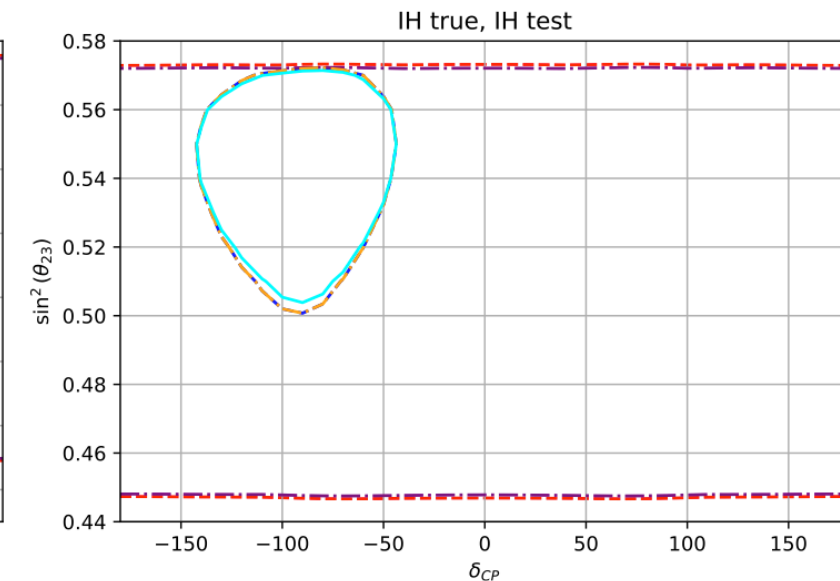
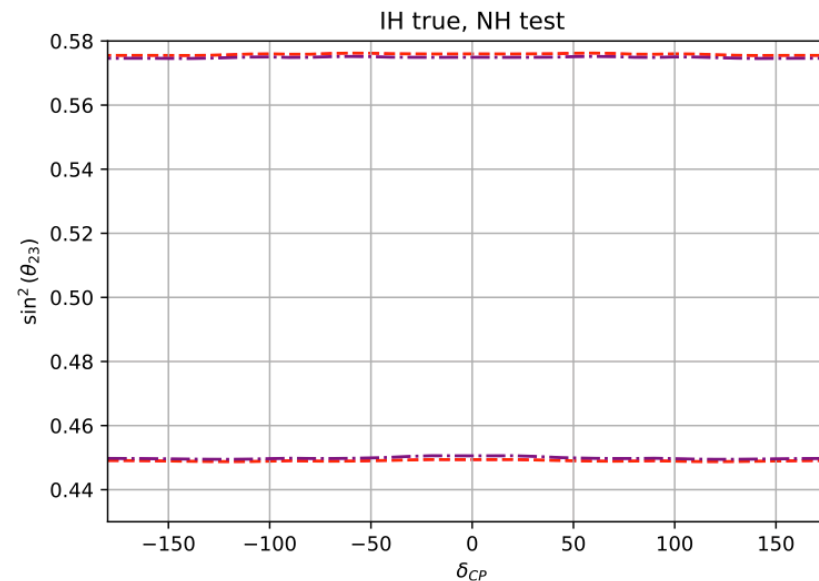
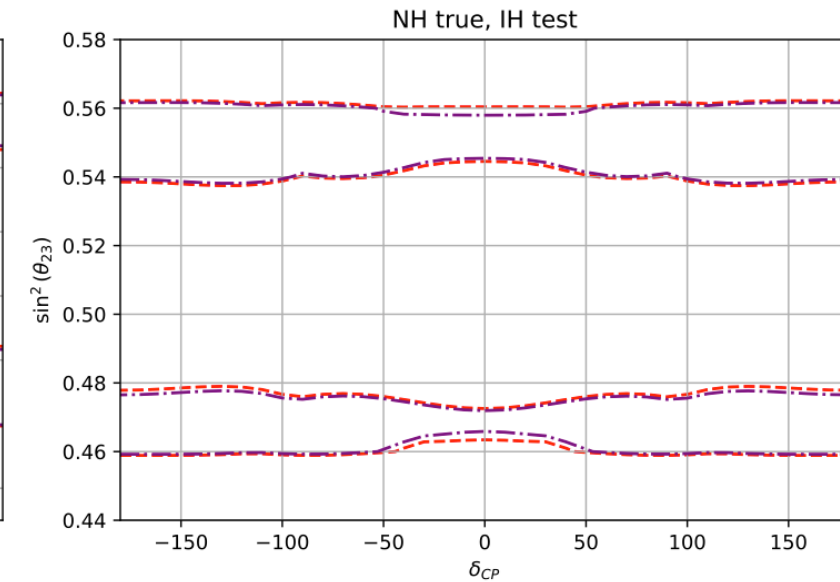
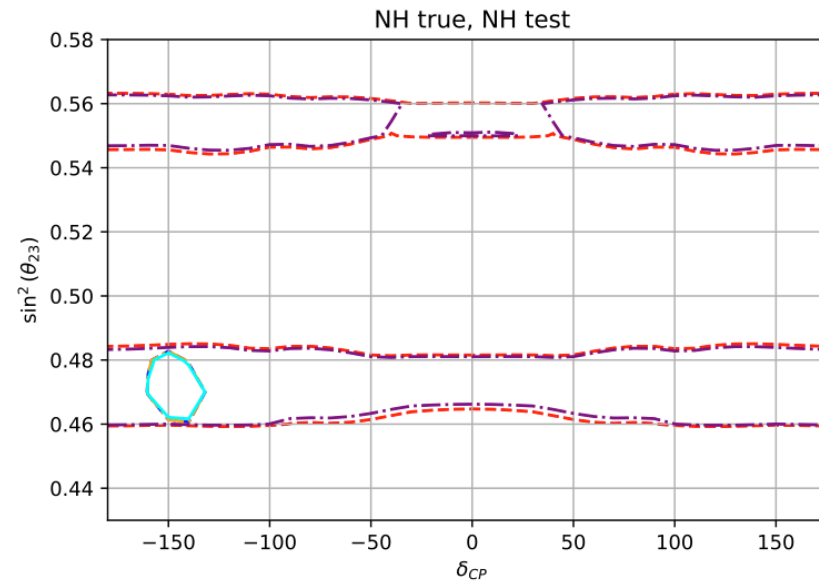


Mass hierarchy sensitivity

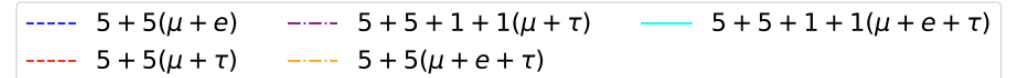
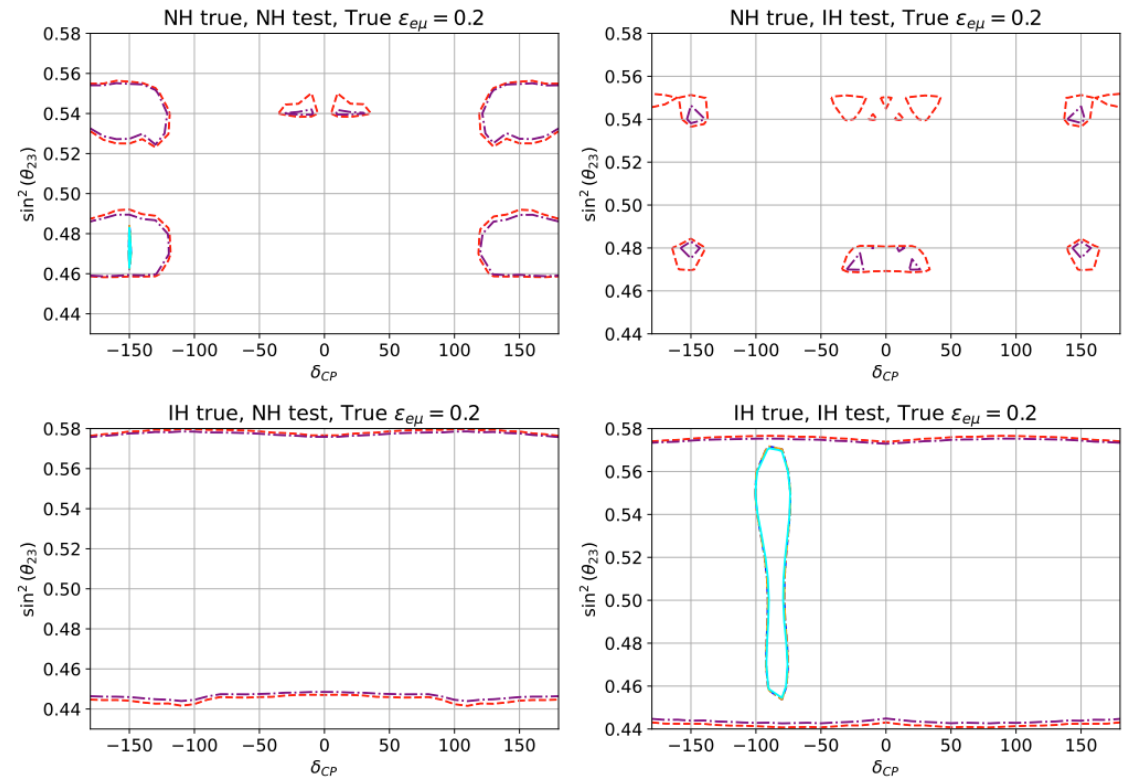
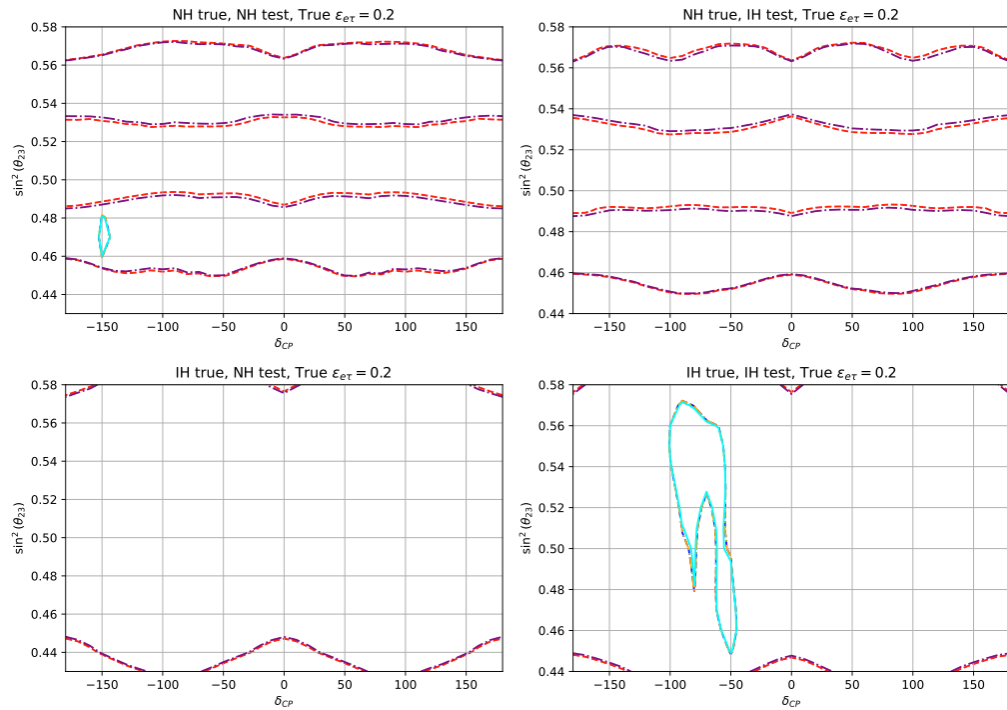


Octant sensitivity

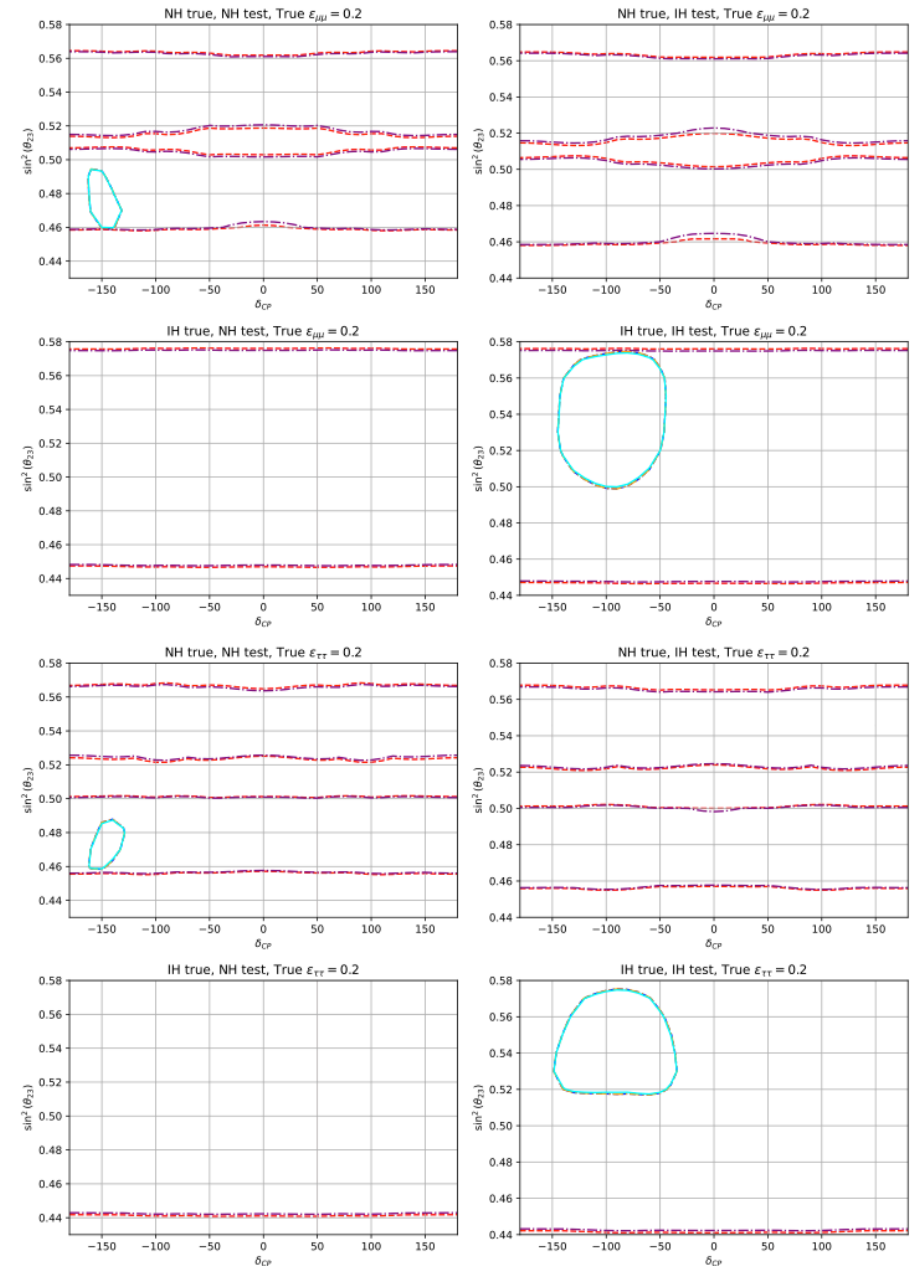
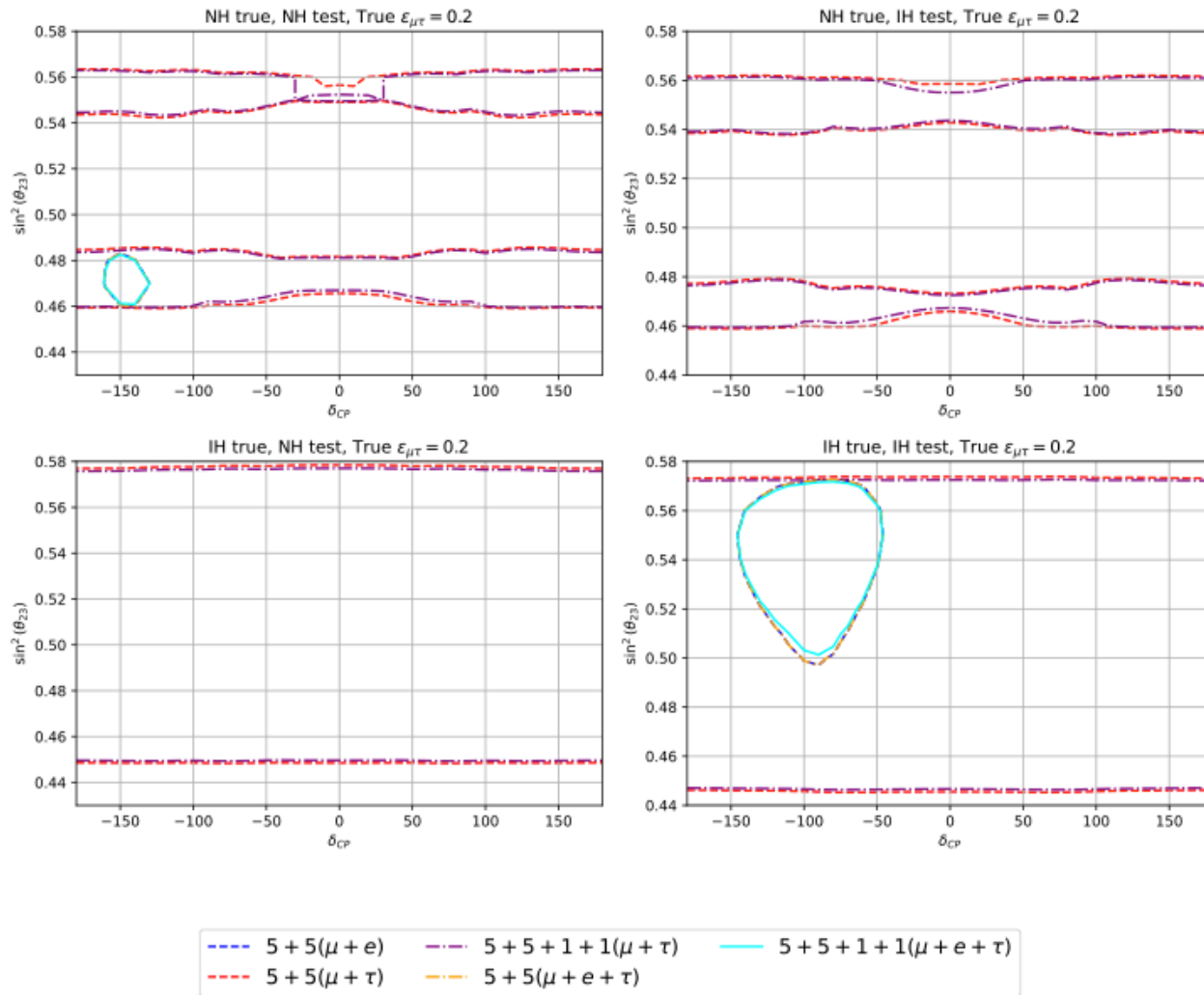
- Allowed region in the SI case
- Inclusion of electron neutrino appearance is needed for any meaningful sensitivity.



Octant sensitivity



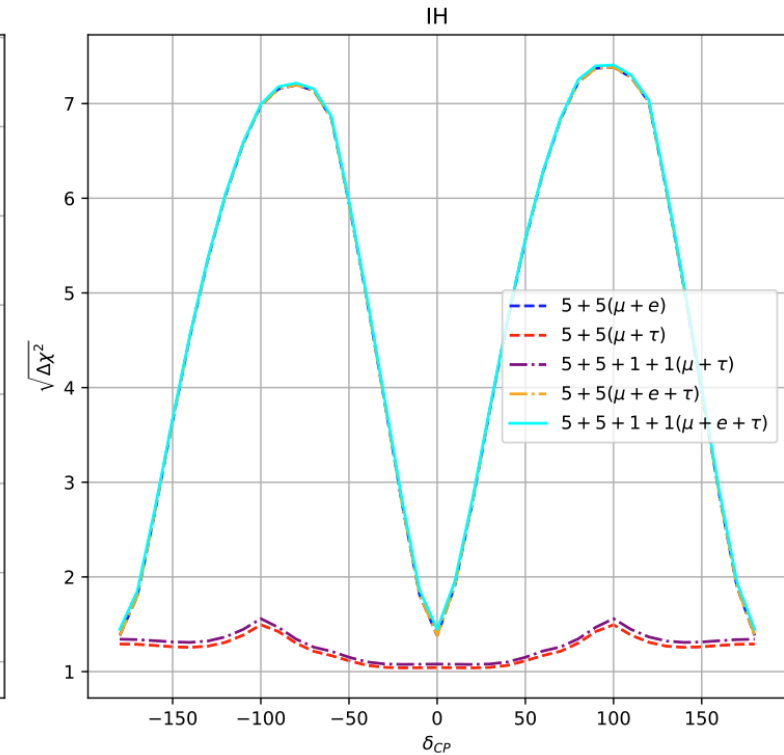
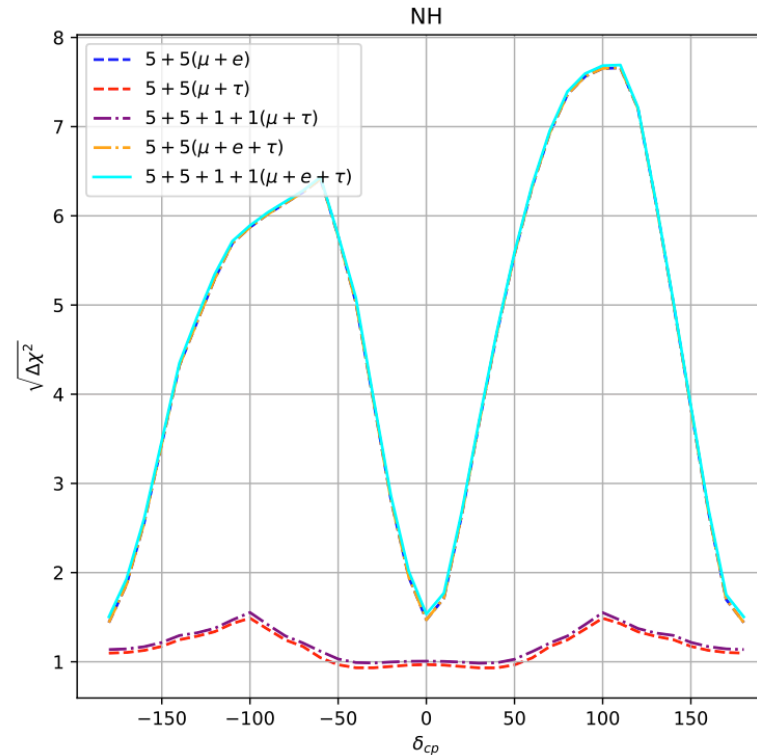
Octant sensitivity



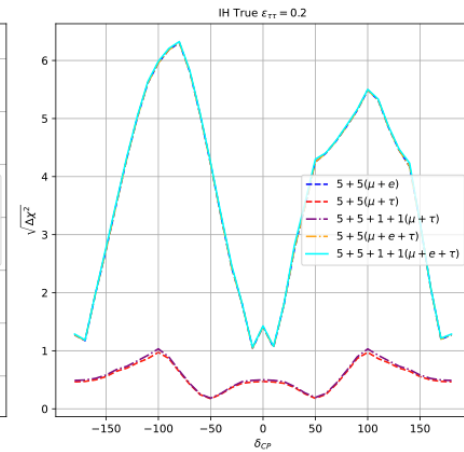
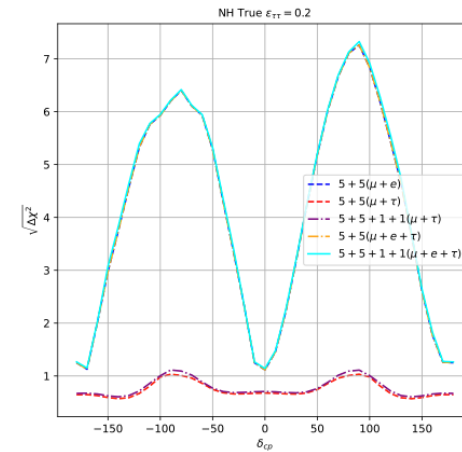
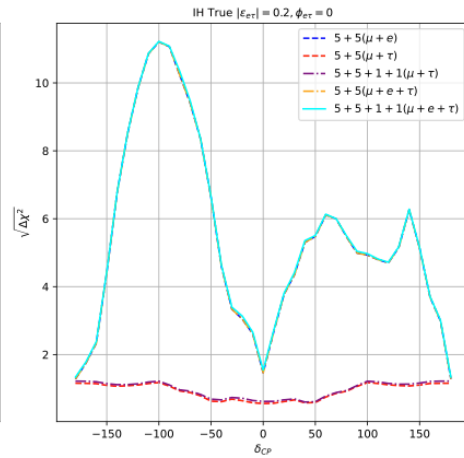
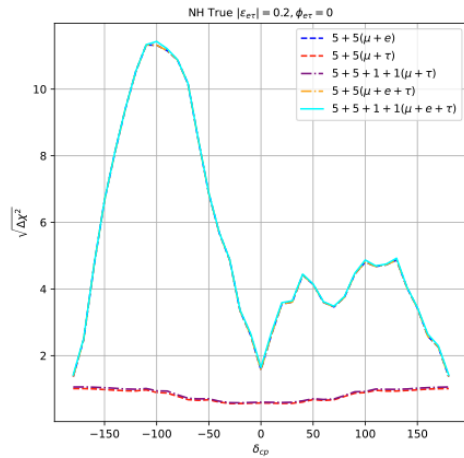
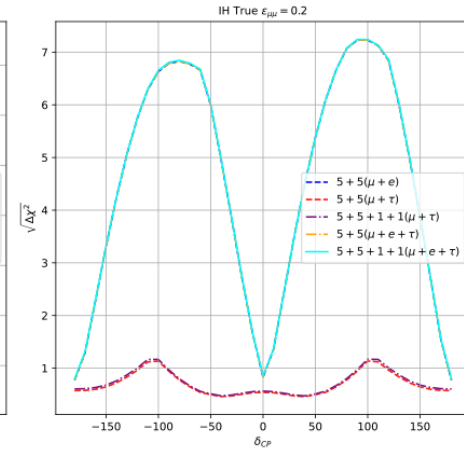
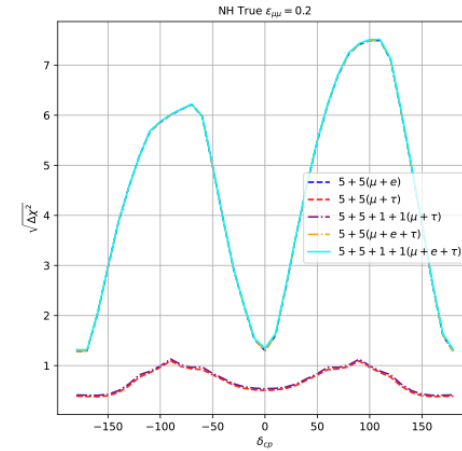
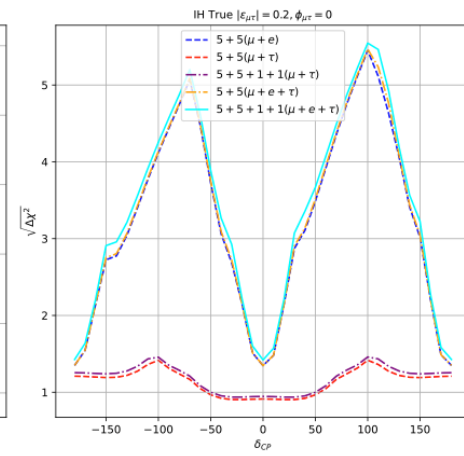
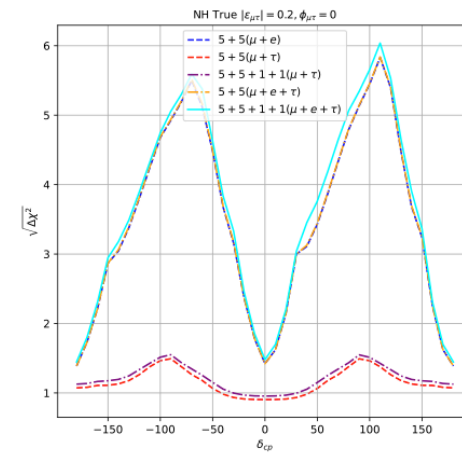
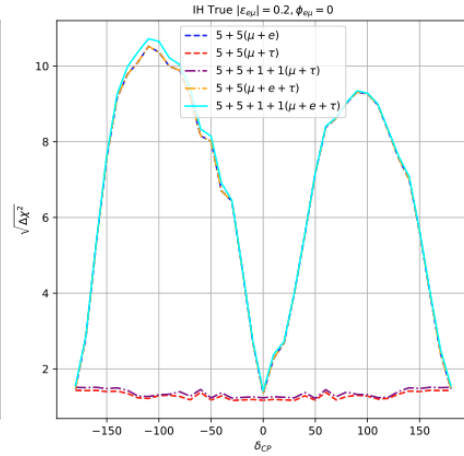
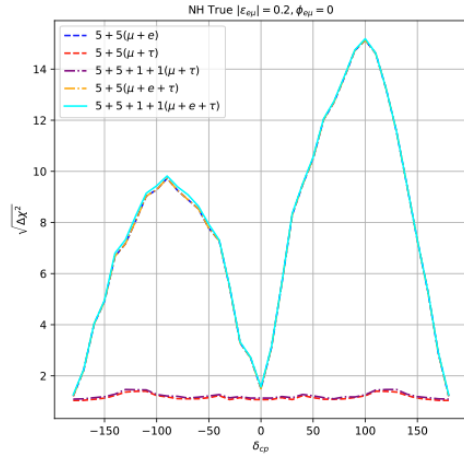
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CP sensitivity

- Varied the CP Violating phase
- Marginalized $\sin^2 \theta_{23}$ and $|\Delta_{31}|$ in their respective 3 sigma range
- Test CP values 0, 180, -180.
- Good CP sensitivity at the plotted ranges.

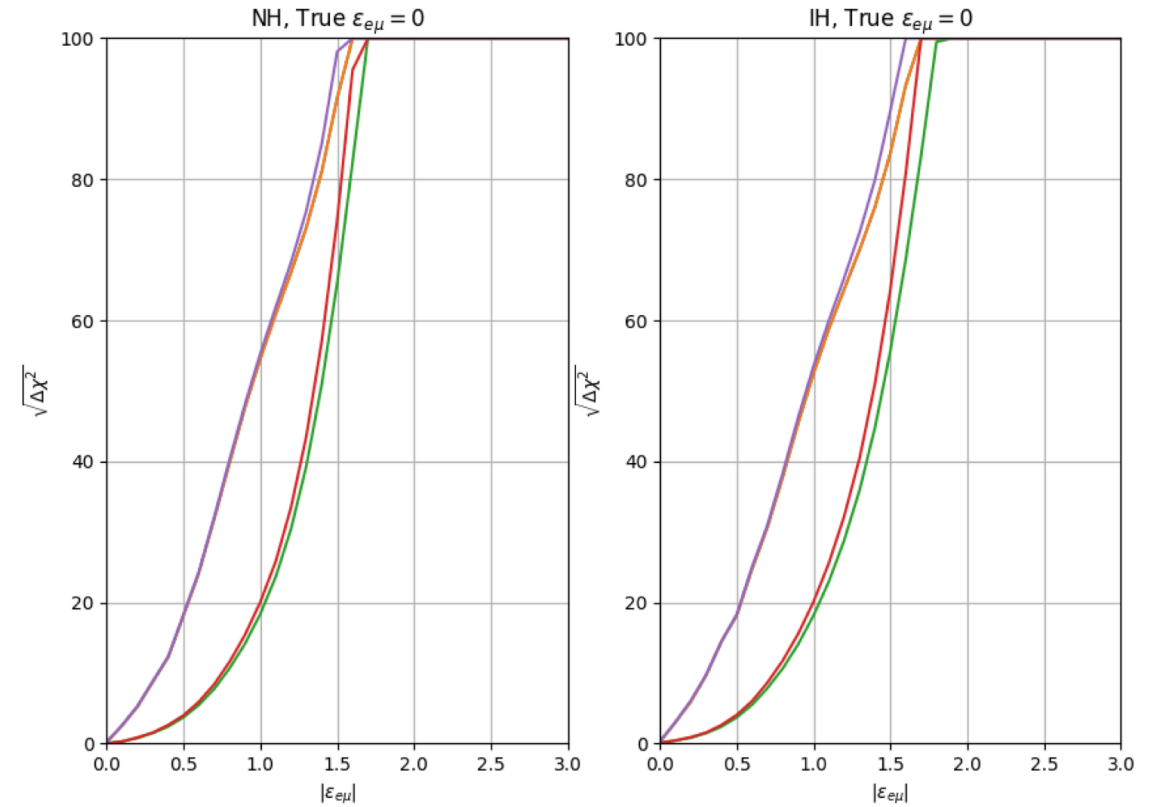
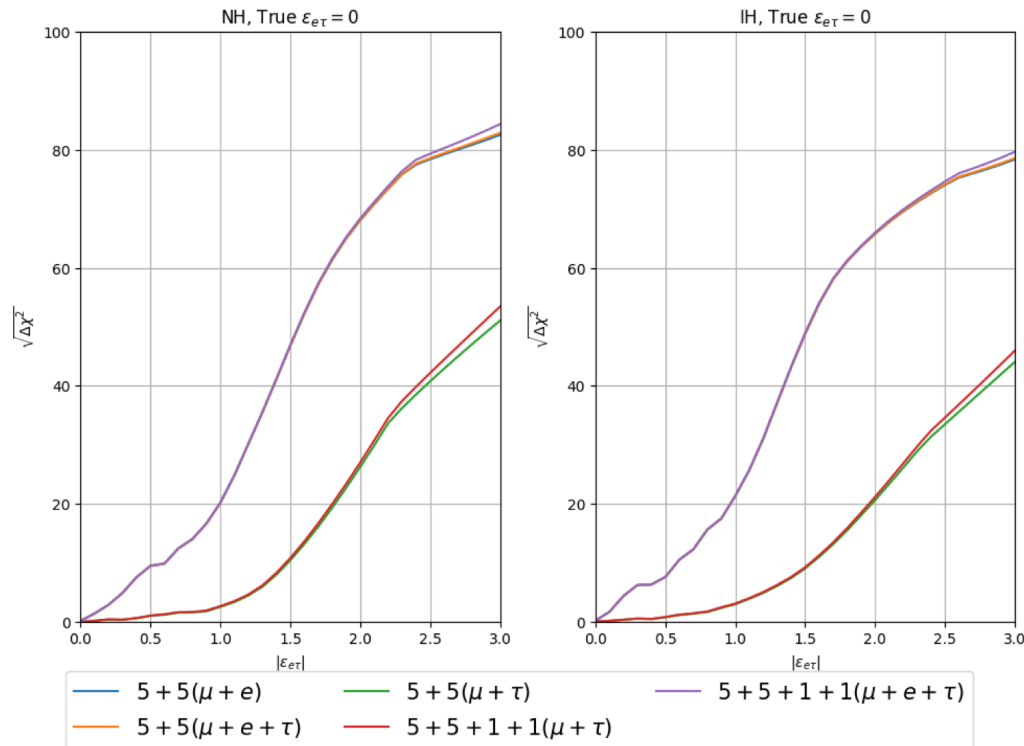


CP sensitivity



NSI Sensitivity

In truth SI case, ability of DUNE to rule out NSI existence (Terms from subleading contribution)



How NSI affects neutrino oscillation in matter

$$\mathcal{L}_{\text{NC-NSI}} = -2\sqrt{2}G_F\epsilon_{\alpha\beta}^{fC}(\bar{\nu}_\alpha\gamma^\mu P_L\nu_\beta)(\bar{f}\gamma_\mu P_C f)$$

The NSI interaction Lagrangian operator

- α, β denotes neutrino flavours (electron, muon, tau)
- f denotes fermion type in matter (e, u, d)
- C is L or R handed projection operator.
- Very general parameterization of a neutrino flavour changing interaction, at a dimension 6 four particle vertex.
- UV completion come from models such as new heavy states or LFV through light mediators.

$$H = H_{\text{vac}} + H_{\text{mat}} + H_{\text{NSI}},$$

$$H_{\text{vac}} = \frac{1}{2E}U \begin{bmatrix} m_1^2 & 0 & 0 \\ 0 & m_2^2 & 0 \\ 0 & 0 & m_3^2 \end{bmatrix} U^\dagger; H_{\text{mat}} = \sqrt{2}G_F N_e \begin{bmatrix} 1 & 0 & 0 \\ 0 & 0 & 0 \\ 0 & 0 & 0 \end{bmatrix};$$

$$H_{\text{NSI}} = \sqrt{2}G_F N_e \begin{bmatrix} \epsilon_{ee} & \epsilon_{e\mu} & \epsilon_{e\tau} \\ \epsilon_{e\mu}^* & \epsilon_{\mu\mu} & \epsilon_{\mu\tau} \\ \epsilon_{e\tau}^* & \epsilon_{\mu\tau}^* & \epsilon_{\tau\tau} \end{bmatrix}.$$

Effective term from NSI in the Hamiltonian

- Assume: $N_n \approx N_p = N_e$, can use electron density as the scale (electric neutrality)
- NSI enters as an addition effective matter potential term
- Six degrees of freedom from 3 diagonal and 3 off-diagonal terms
- Off-diagonal term introduces flavour-changing neutral-current effects in propagation through matter.