

What is Quantum Computing? (&Y@SNOLAB?)

2025/06/25
SNODAY 2.0

Jeter Hall

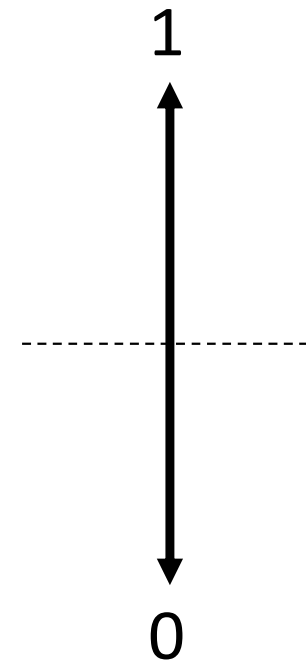
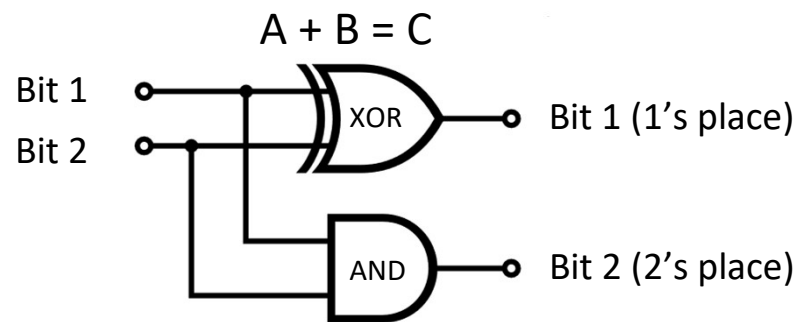
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A quantum computer entangled with a dark matter detector in SNOLAB two kilometers underground, pencil drawing, rainbow. Generated with the assistance of AI.

Classical computing utilizes bits to perform mathematics and store information

- Bits are the fundamental unit of information in a classical computer
- Bit arrays can be manipulated to perform mathematics, and bit arrays can be stored to preserve information
- Classical computers are widely used for science, art, and business



A classical bit can be a 1 or a 0.

Classical computing algorithms are classified by their scaling into complexity classes

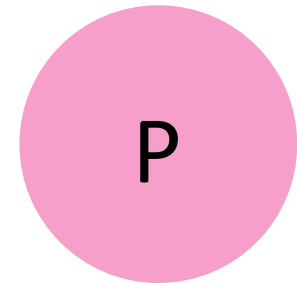


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- Scaling classification is by characterizing the function that relates number of inputs to number of calculations

$$\text{Number of calculations} = F(\text{number of inputs})$$

- Many algorithms scale as a polynomial function of the inputs
 - Basic arithmetic, simple sorting algorithms
 - Considered easy to solve (they scale well)
 - Labelled **P problems**

$$\text{Number of calculations} = (\text{number of inputs})^2$$



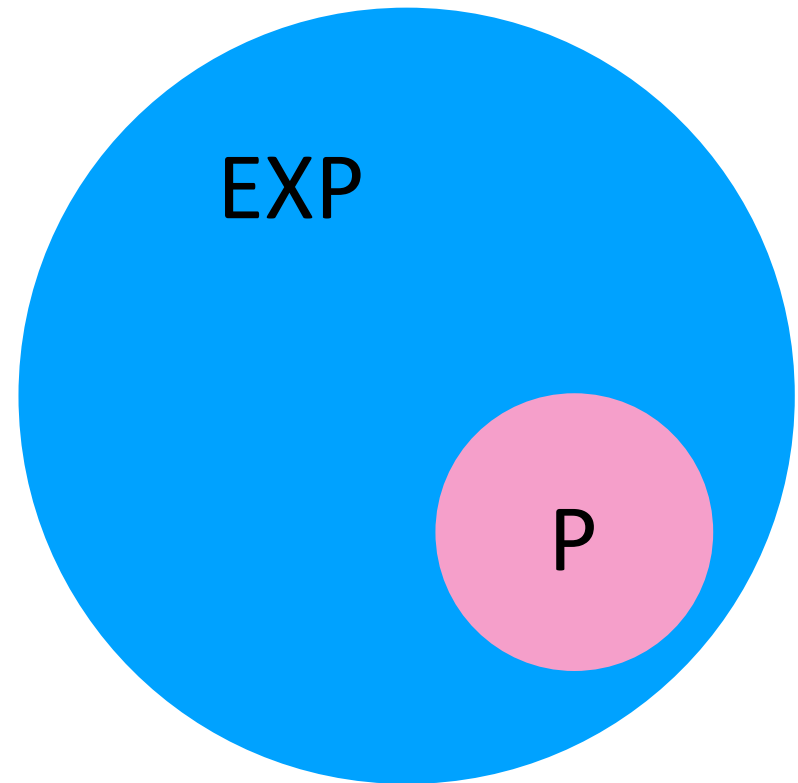
Classical computing algorithms are classified by their scaling into complexity classes

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- Scaling classification is by characterizing the function that relates number of inputs to number of calculations

$$\text{Number of calculations} = F(\text{number of inputs})$$

- Many algorithms scale as an exponential function of the inputs
 - Brute force problems, poorly written algorithms
 - Considered hard to solve (they scale poorly)
 - Labelled **EXP problems**

$$\text{Number of calculations} = e^{\text{number of inputs}}$$



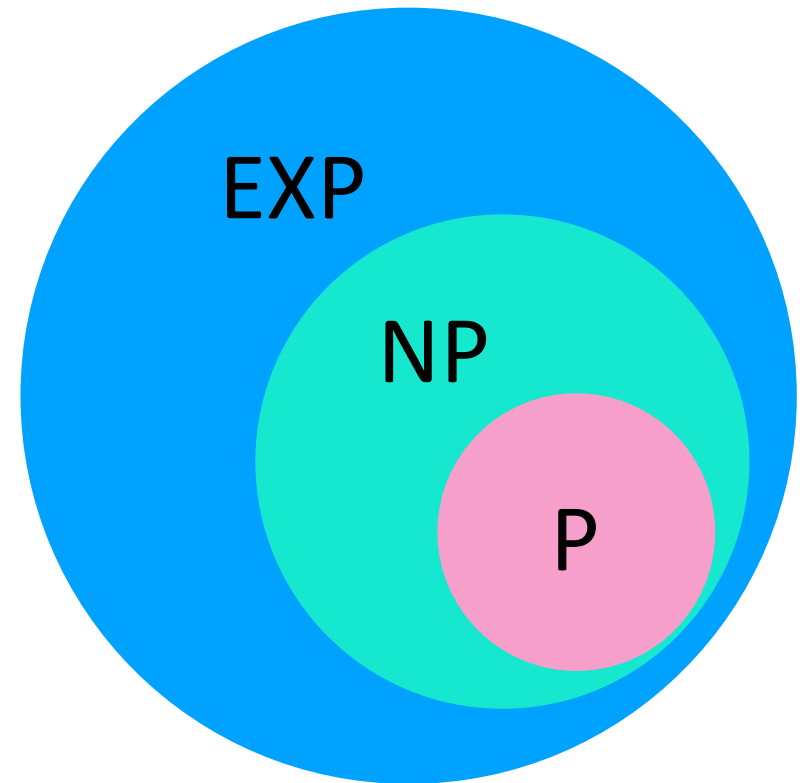
Classical computing algorithms are classified by their scaling into complexity classes

- Scaling classification is by characterizing the function that relates number of inputs to number of calculations

$$\text{Number of calculations} = F(\text{number of inputs})$$

- Some problems are EXP to solve, but P to verify the solutions
 - Factoring numbers
 - Considered useful (e.g. basis of cryptography)
 - Labelled **NP problems**

$$\text{Number of calculations to verify solution} = (\text{number of inputs})^2$$



NP stands for non-deterministic polynomial

Classical computers suffer from soft errors due to radioactivity

- Bits can flip due to alpha particles and cosmic rays
- Significant field of research in the 1960s and onward
- Computing devices are packaged in clean rooms to avoid alpha contamination
- Specific transistors design rules are implemented to avoid soft errors
- Error correction is done in software
 - E.g. make multiple copies of the information

IEEE TRANSACTIONS ON NUCLEAR SCIENCE, VOL. NS-13, NO. 6, DECEMBER, 1966

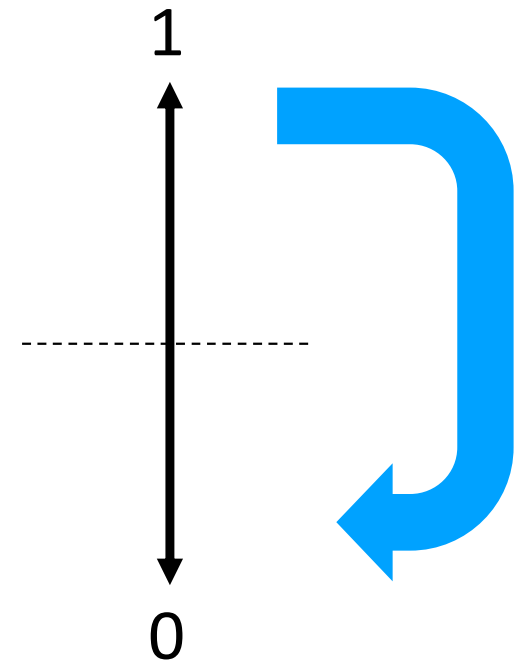
RADIATION EFFECTS ON MICROCIRCUITS

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I Introduction and Summary

Microcircuit response to nuclear radiations has become an increasingly important concern over the past year. This discussion will consider

Experiments design placement damage effects were generally performed on a basis. Dynamic tests of circuits, however, in a



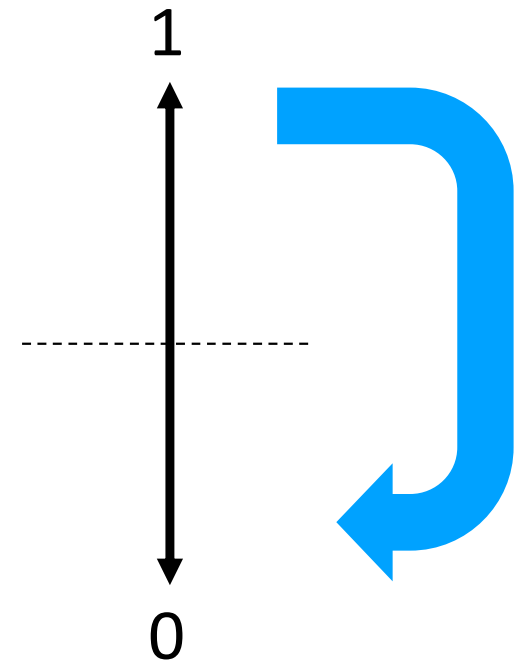
A classical bit can suffer from a soft error, flipping the bit

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Soft errors can still affect classical computing

<https://www.thegamer.com/how-ionizing-particle-outer-space-helped-super-mario-64-speedrunner-save-time/>



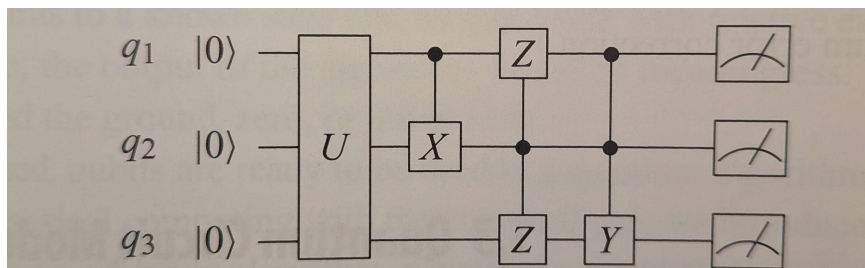
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Quantum computing utilizes the correlations of quantum mechanics to solve complex problems

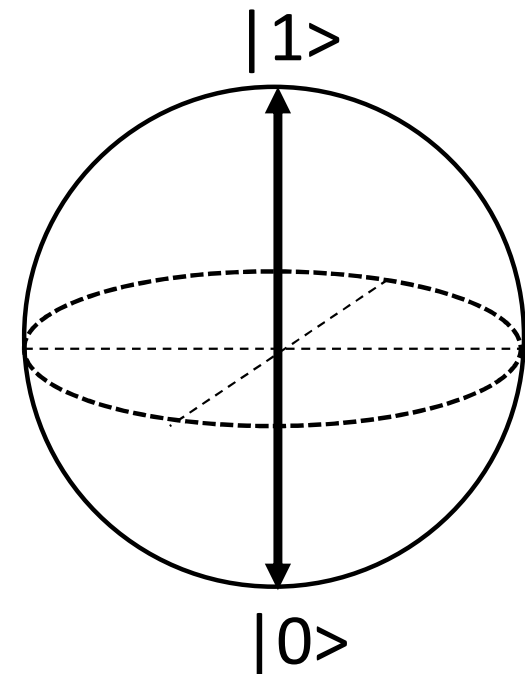
- Quantum bits are in a complex superposition of two states

$$|\psi\rangle = \alpha |0\rangle + \beta |1\rangle, \alpha \text{ and } \beta \text{ are complex numbers}$$

- Qubit arrays can form superpositions of 2^N states
- The hope is that entanglement and interferences in this large, complex space can enable new types of calculations



From "Building Quantum Computers", Majidy, Wilson, and Laflamme

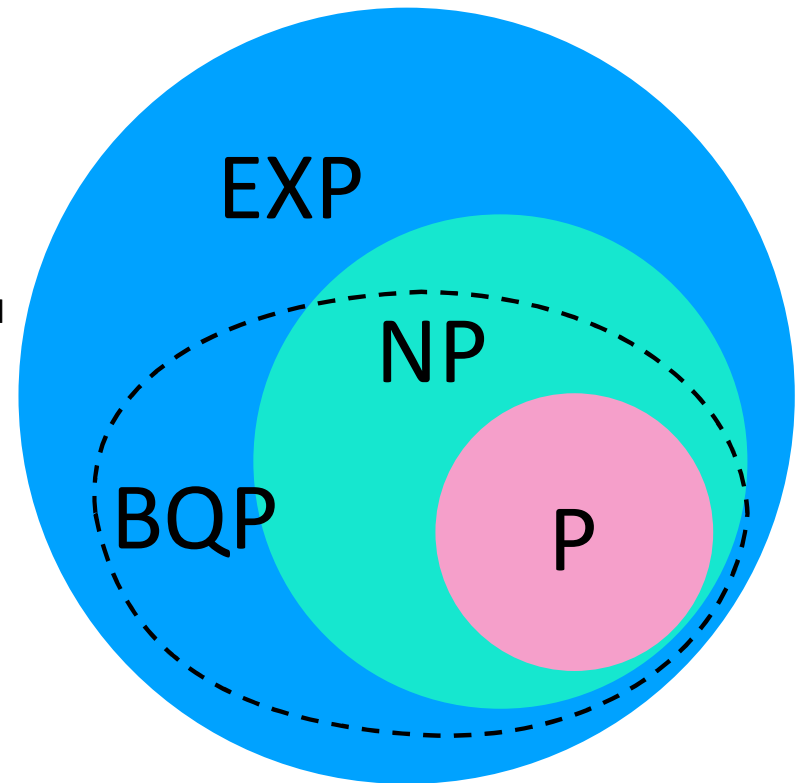


A qubit is in a superposition of 1 and 0. This graphical representation of a qubit state is called the **Bloch sphere**.

Quantum computing algorithms hold the promise of calculating solving problems more efficiently

Number of calculations = $F(\text{number of inputs})$

- Problems that quantum computers can solve efficiently are called bounded error quantum polynomial problems, **BQP problems**.
- All P problems are BQP problems
 - A quantum computer can perform classical calculations.
- There are some NP problems that are BQP problems.
- The bounds of BQP problems are unknown.



There are many qubit candidates, but they all suffer error problems

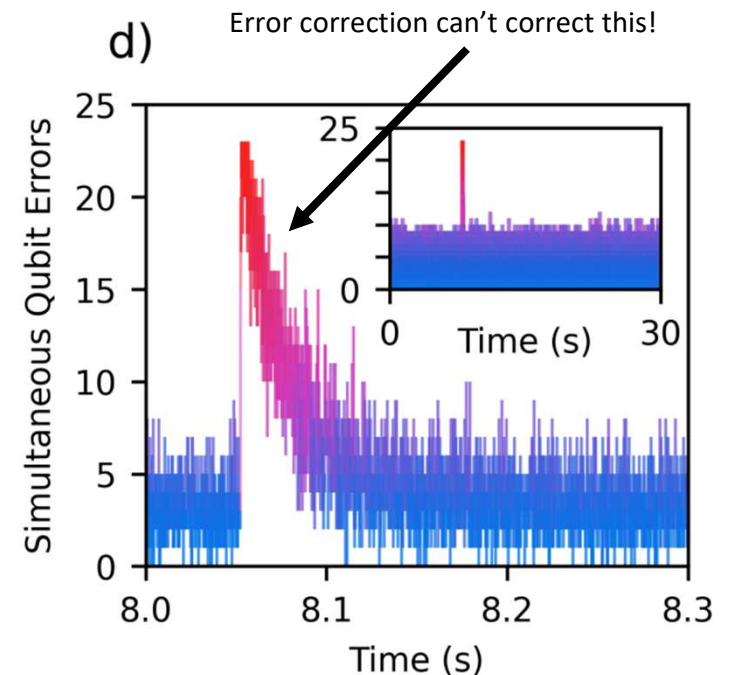
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- Qubits suffer from bit flips, phase errors, and decoherence
 - The errors are currently too frequent for the promised applications
 - No established design rules for each qubit candidate
 - Error correction is a large field and holds promise to address this issue
 - Different from classical error correction because states cannot be copied

Current most promising qubit candidates

- Spins in NMR
- Photons
- Trapped ions
- Superconducting circuits

Quantum error correction relies on *uncorrelated* qubit errors

- Search for simultaneous errors with a superconducting quantum processor
- Clear evidence of particle interactions
- Watched evolution of errors start locally, but spread across all qubits
- This represents a fundamental limit on the time for any quantum calculation
- This is the reason to explore quantum computing at SNOLAB!



M. McEwan, et al., Nat. Phys. **18**, 107 (2022)

A photograph of two workers in a large, industrial facility, likely a nuclear reactor containment dome. The workers are wearing white protective suits and hard hats (one yellow, one red). They are standing on a yellow metal platform with railings, looking down at something. The background shows a large, curved, metallic structure with various pipes, cables, and overhead fluorescent lights. The overall atmosphere is industrial and sterile.

Questions?
Discussion